

Modeling dolomite-brine interaction in the context of geological CO₂ sequestration. Gabriela Dávila¹, Maria García-Rios^{1,2}, Josep M. Soler¹ and Jordi Cama¹

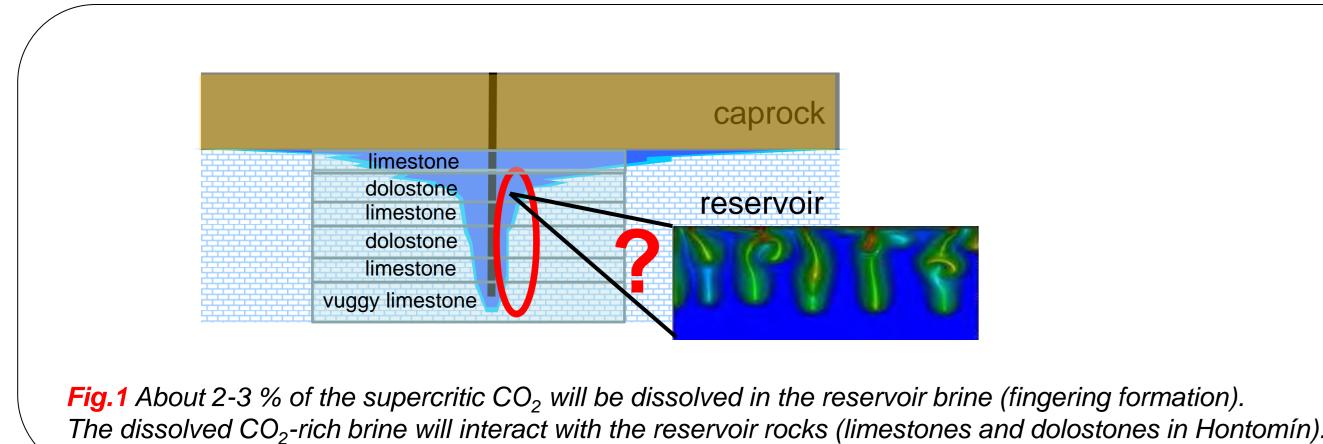
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INTRODUCTION

The repository rocks to inject CO₂ at the Hontomin test site (northern Spain) are dominantly limestones (Fig. 1). Interaction between dissolution of carbonate minerals. Since the Hontomin brine contains sulfate, gypsum (or anhydrite at depth) can precipitate, resulting in a gypsum coating on the dissolving carbonate minerals' surface to cause its passivation. These reactions may change the porosity, permeability and storage capacity of the reservoir. In this study, laboratory column experiments under atmospheric pCO₂ are performed to quantify these processes.1-D numerical simulations of the experimental results using the reactive surface area values and kinetic rate laws) used to predict the geochemical evolution in experiments run under supercritical CO₂ conditions (pCO2 of 80 bar and 60 C).

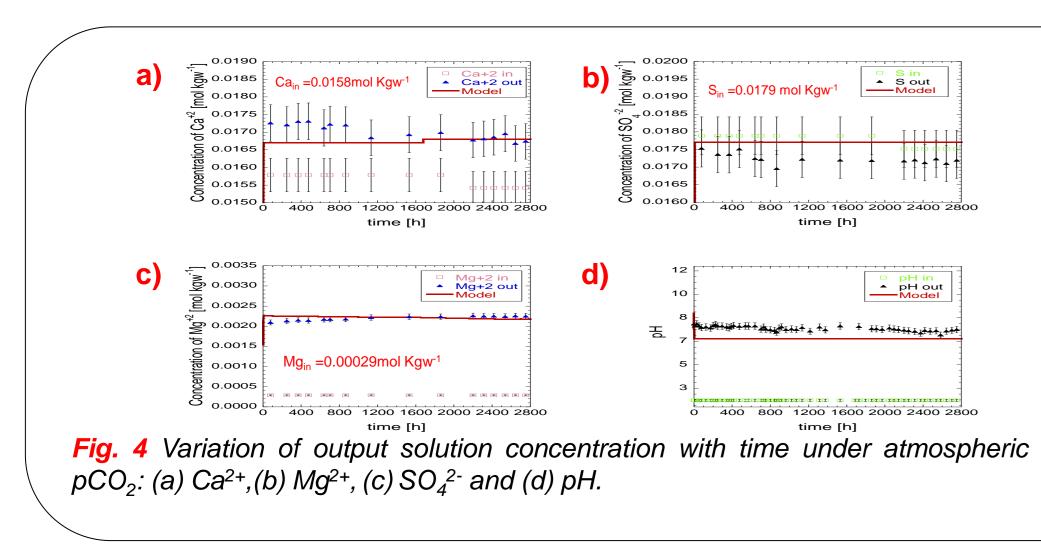
METHODOLOGY

A column experiment was conducted under atmospheric pCO₂ (*Fig. 2*) at 8.3x10⁻¹⁰ m³/s, i.e., Darcy velocity (V_D) of 1.5x10⁻⁶ m³/m²/s, which is similar to the flux at the vicinity of the injection borehole at Hontomin. The initial porosity is 0.46. For the 1-D simulations the column is discretized in 20 nodes. The code couples the transport equation with the kientic rate laws, and the reactive surface areas are updated according to the equations shown in Fig. 3.



RESULTS AND DISCUSSION

Variation of Ca, Mg and S concentration is higher than the initial one (dolomite dissolution), and the concentration of sulfate is lower than the initial one (gypsum) precipitation). The simulations match the experimental data (Fig. 4). Reactive surface area values were adjusted to match the experimental data (Fig. 4). Reactive surface area values were adjusted to match the experimental data (Fig. 4). (first 0.005m) and dolomite dissolves, causing an increase in porosity of the beginning of the column is observed (Fig. 4). The simulated pH is lower than the measured one likely due to CO2 degassing. Dedolomitization (mole per mole replacement of dolomite by calcite) is a negligible process in these experiments (Fig. 5). Based on the reactive surface area values obtained and considering that the column is run under supercritical conditions (pCO₂ of 150 bar and 70°C), simulations predict significant dissolution of dolomite that causes very high increase in porosity along the entire column (Fig. 6).



SUMMARY

The 1-D numerical simulations of the experimental results of dolomite dissolution at atmospheric pCO₂ and 25 0 C show that:

ACKNOWLEDGMENTS

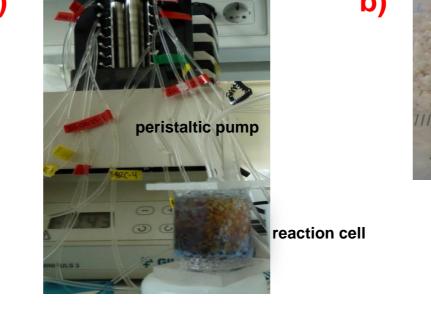
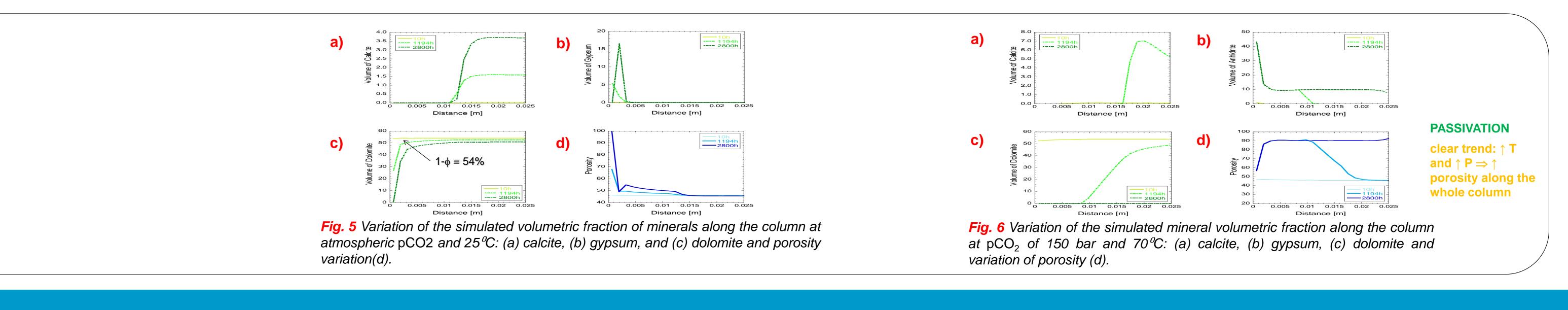


Fig. 2 (a) Flow-through column packed with dolomite fragments shown in (b).



- Values of the adjusted reactive surface areas are similar to those calculated based on the geometric surface area. These values are used to predict the geochemical behavior of he column run at supercritical CO₂ conditions. - The main processes that take place are dissolution of dolomitization are negligible. Consequently, initial porosity increases up to 90% at the entrance of the column. Simulations under supercritical CO₂ conditions (similar to the ones at the initial porosity along the column. Future experimental results under these conditions will be used to validate the resulting simulations.





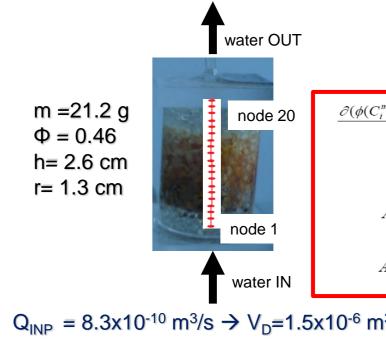


Fig. 3. Conceptual model and transport code CrunchFlow.

Crunchflow (Steefel, 2009)	
$\frac{\frac{mob}{i} + C_i^{immob})}{\partial t} = \nabla \cdot \left(\mathbf{D} \nabla C_i^{mob} \right) - \nabla \cdot \left(\mathbf{q} C_i^{mob} \right) + R_i \qquad (i=1,2,\dots,N_{tot})$	Eq. 1
$R_m = -A_m \sum k_m a_{H^+}^{n_{H^+}} \left(\prod_i a_i^{n_i}\right) f_m(\Delta G)$	Eq. 2
$A = A^{initial} \begin{pmatrix} \phi_m \\ \phi_m^{initial} \end{pmatrix}^{\frac{2}{3}} \begin{pmatrix} \phi \\ \phi^{initial} \end{pmatrix}^{\frac{2}{3}} $ (dissolution)	Eq. 3
$A = A^{initial} \left(\frac{\phi}{\phi}^{initial} \right)^{\frac{2}{3}} $ (precipitation)	Eq. 4
³ /m²/s	
reactions that are considered in the	reactive