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Abstract

Numerous studies have explored whether and how the spread of the coronavirus disease 2019 (COVID-19) responds to environmental conditions without reaching unique or consistent answers. Sociodemographic factors such as variable population density or mobility as well as the lack of effective epidemiological monitoring difficult establishing robust correlations. Here we carry out a regional cross-correlation study between nine atmospheric variables and an infection index (I_c) estimated from standardized positive polymerase chain reaction (PCR) test cases. The correlations and associated time-lags are used to build a linear multiple-regression model between weather conditions and the I_c index. Our results show that surface pressure and relative humidity can predict COVID-19 outbreaks during periods of relatively minor mobility and meeting restrictions. The occurrence of low-pressure systems, associated with the autumn onset, leads to weather and behavioral changes that intensify the virus transmission. These findings suggest that surface pressure and relative humidity are key

37 environmental factors in the seasonal dynamics of the COVID-19 spread, which may be used
38 to improve COVID-19 forecast models.

39

40 **Introduction**

41 A cluster of atypical pneumonias in Wuhan (China) in December 2019 disclosed the new
42 coronavirus pathogen SARS-CoV-2 and the related clinical entity (COVID-19)¹. This new
43 threat was categorised by the World Health Organization (WHO) as a public health
44 emergency of international concern on January 30 and as global pandemic on March 11,
45 2020². As of early August 2022, COVID-19 has claimed almost 6.4 million notified deaths
46 and about 570 million confirmed cases³, besides the important socio-economical disruptions
47 due the lockdowns and contention measures. The air-borne transmissivity of the new
48 coronavirus was soon established, as well as its high infectiousness, in contrast with the
49 previous SARS-CoV-1 and MERSV⁴.

50 The ongoing evolution of SARS-CoV-2 is entering a new scenario where humans are
51 experiencing reinfections with new variants of this pathogen. Despite the availability of
52 vaccines and the increasing rates of vaccination, the transmission of SARS-CoV-2 remains
53 high. The limited duration of protective immunity against infection and the high genomic
54 variability of the pathogen increase the rate of repeated infection^{5,6} and extend the persistence
55 of coronavirus over time⁷. This is especially evident with recent variants like Delta
56 (B.1.617.2) and Omicron (B.1.1.529) and their sub-variants (BA.04 and BA.05)⁸. This new
57 scenario may likely evolve towards an endemic disease, possibly controlled by weather
58 conditions⁹ that will cause outbreaks or seasonal peaks similar to most common respiratory
59 infections¹⁰. Therefore, one of the critical questions is to determine the character and extent
60 of this seasonality and which weather variables may have a greater incidence on the
61 transmission dynamics of SARS-CoV-2.

62 In temperate regions, weather conditions such as temperature and humidity modulate the
63 transmissibility of many common respiratory viruses such as influenza^{11,12}, favoring higher
64 rates of transmission during winter¹³. Specifically, numerous studies have explored the
65 possible relationship between climatic factors and the spread of SARS-CoV-2^{14,15,16,17,18,19,20}.
66 Several of these studies have concluded that low temperatures and low relative humidity
67 favor the spread of SARS-CoV-2. However, models solely based on atmospheric variables
68 have failed to predict the incidence of the disease probably due to inconsistencies in the

69 counting system of infected population²¹, as well as because of incomplete consideration of
70 relevant social variables, including the masking effect of the social restrictions imposed
71 during the succeeding SARS-CoV-2 waves.

72 In the new unfolding epidemiological scenario, where policy interventions and social
73 distancing measures are already residual, the seasonal character of COVID-19 deserves
74 further attention. The predominance of Omicron-related variants, whose infectiousness is
75 highly independent of the vaccinated status, emphasizes the need for a better understanding
76 and characterization of the climatic factors that impact the susceptibility to infection. Here we
77 assess the relationship between the spread of COVID-19 and the atmospheric conditions in
78 the region of Catalonia (northwestern Mediterranean) from September 2020 to December
79 2020. A climate-dependent COVID-19 predictive model is developed based on the cross-
80 correlation results between a simple infection index and time-lagged atmospheric variables.
81 The model is validated externally during the third COVID-19 outbreak, from December 2020
82 to February 2021 to assess its predictive performance.

83 **Methods**

84 **Health data processing and normalization**

85 The health data used in this study are available from the Catalan Transparency Portal
86 database of the Catalan government and they have been processed as follows. First, only
87 positive cases detected by PCR ($N_{PCR,+}$) were selected for the analysis. Then, detected cases
88 were grouped into Health Regions (HRs, a total of nine with mean area about 3600 km²) and,
89 for each HR dataset, data were broken down into Basic Health Areas (BHAs, a total of 372
90 with mean area about 86 km² and population ranging between 5000 and 25,000 people each).
91 Afterwards, a rectangular grid of 0.1° x 0.1° latitude (*lat*) – longitude (*lon*), covering all
92 Catalonia, was generated. Health data were assigned to each point of the grid according to
93 their location in the basic areas; grid points located inside one same BHA contain the same
94 health data. Points located within the BHA that did not report data during the pandemic were
95 excluded from the further analysis. As a result, time series for health data at each grid point
96 were generated for the period of time analysed. Then, time series $N_{PCR,+}(t, lat, lon)$ were
97 normalised by dividing the time series by the area and the population size of each BHA; the
98 resulting series are positive PCR cases for 100,000 inhabitants and squared kilometre (cases
99 per 10⁵ inhab km²).

100 We applied two corrections to the normalised time series $N_{PCR,+}(t, lat, lon)$. The first one
 101 considers observed weekday biases, e.g. typically as a result of increased counts after the
 102 weekend. For this purpose, a histogram of mean confirmed cases for each day of the week at
 103 each BHA was computed, and a weekday factor was applied to the previous normalised
 104 dataset. A second PCR correction factor was defined as:

$$105 \quad f_{PCR} = \frac{PCR_+(t, lat, lon)}{PCR_{tot}(t, lat, lon)} \quad , \quad (1)$$

106 which represents the fraction between the daily positive tests (PCR_+) and the total PCR tests
 107 (PCR_{tot}) done during that day in each BHA region. This factor takes in account the
 108 availability of the total number of PCR tests to detect positive cases during the period of time
 109 analysed; this was particularly important during the first wave of the pandemic, as the
 110 number of available tests was significantly lower than during the other waves, which
 111 underestimated the number of infected people at the early stages of the pandemic.

112 The normalised time series obtained at each grid point after applying both correction factors,
 113 $N_{PCR,+}^*(t, lat, lon)$, were smoothed with a three-day moving average. Further, an interpolant
 114 for scattered grid points was applied to estimate daily values in BHAs with no reported cases.
 115 The result was a daily COVID-19 health time series $\widehat{N}_{PCR,+}(t, lat, lon)$ at each point of the
 116 grid covering Catalonia.

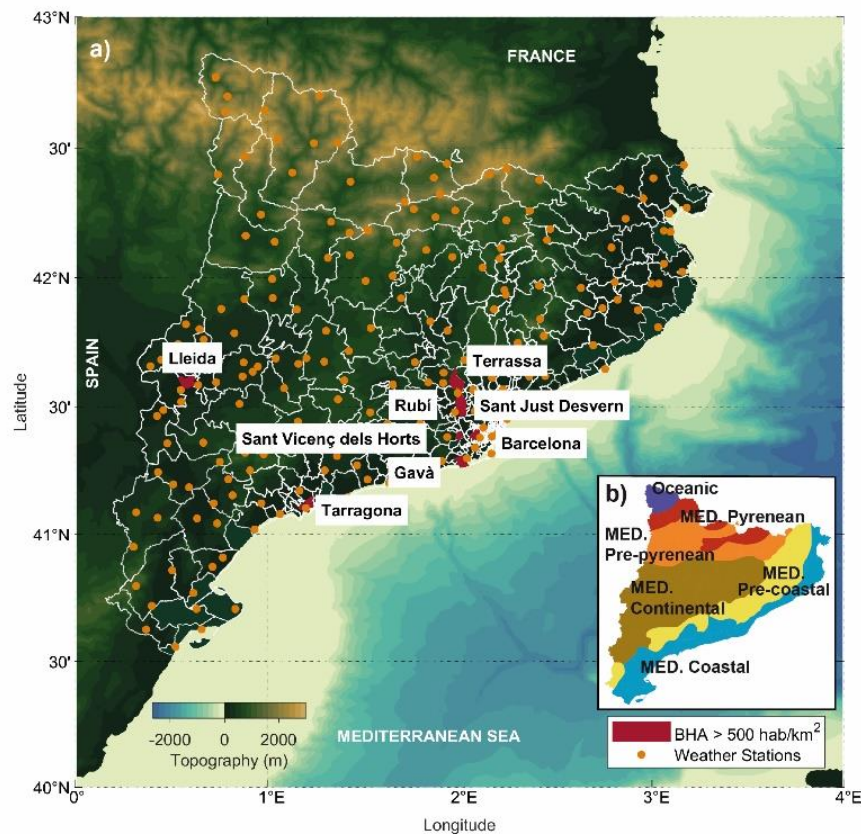
117 **Daily infection index**

118 The final dataset $\widehat{N}_{PCR,+}(t, lat, lon)$ was used to define an infection index, to be used for
 119 monitoring the risk of contagious for the population in a specific area and day. The daily
 120 infection index at each grid point $I_c(t, lat, lon)$ is computed as:

$$121 \quad I_c(t, lat, lon) = \frac{\widehat{N}_{PCR,+}(t, lat, lon)}{\sum_{i=1}^{10} \widehat{N}_{PCR,+}(t-i, lat, lon)} \quad , \quad (2)$$

122 This pandemic parameter, which is obtained directly from the health dataset, provides
 123 information on the people infected daily with the virus with respect to the total population
 124 that is potentially infectious, which is estimated as the people infected during the prior 10
 125 days²².

126 After processing the health data, the BHAs were classified according to population density.
 127 In low-density populated areas, reporting of positive cases experienced some difficulties
 128 during 2020, mostly related to the local availability of tests. In order to avoid this problem,
 129 we selected eight densely populated areas (population density $d \geq 500$ inhab km⁻²) for further
 130 analysis (Fig.1). One of the selected BHAs is located in the city of Barcelona (BCN-10A,
 131 $d_{BCN} = 11873$ inhab km⁻²) and five more are included in districts located in towns of the
 132 Barcelona metropolitan area: Gava (GVA-2, $d_{GVA} = 1847$ inhab km⁻²), Sant Just Desvern
 133 (SJD, $d_{SJD} = 2340$ inhab km⁻²), Sant Vicenç dels Horts (SVH-2, $d_{SVH} = 2409$ inhab km⁻²),
 134 Rubi (RUB-3, $d_{RUB} = 644$ inhab km⁻²) and Terrassa (TRS-E, $d_{TRS} = 1864$ inhab km⁻²). The
 135 last two BHAs belong to urban areas away from the city of Barcelona: a district of the town
 136 of Tarragona, located by the coast (TRG-2, $d_{TRG} = 1573$ inhab km⁻²), and a district of the
 137 town of Lleida, located in the interior of Catalonia (LLEI-2, $d_{LLEI} = 1123$ inhab km⁻²).



138
 139 **Figure 1.** (a) Basic health areas (BHAs, delimited in white) and automatic weather stations (orange dots) in
 140 Catalonia. Those BHA selected for this study, with a population density $d \geq 500$ inhab km², are drawn in red.
 141 (b) Bioclimates in Catalonia according to the climatic conditions: Mediterranean coastal, Mediterranean pre-
 142 coastal, Mediterranean continental, Mediterranean pre-Pyrenean, Mediterranean Pyrenean and Oceanic²³
 143 published on the Meteorological Service of Catalonia (MSC).
 144

145 **Health data selection**

146 In June 21, 2020, following a substantial decrease in the number of infections and deaths by
147 COVID-19 and coinciding with the end of the academic courses, the Spanish government
148 opened a period with no mobility and distance restrictions that was named ‘new-normality’.
149 This allowed a substantial fraction of the Catalan population to spend a few weeks of July-
150 August in holiday destinations. This implied large internal mobility to locations away from
151 their registered residence, disabling a proper normalization of infections in terms of resident
152 population. Hence, we have assessed the impact of weather on the propagation of COVID-19
153 between September 2020 and February 2021. An internal validation is done from September
154 1 to November 18, 2020, which is the setup period. This covers a period of relative normality,
155 when most families were back to their homes for work and the start of the academic course,
156 and before the onset of the second COVID-19 wave. An external validation is done from
157 November 19, 2020, to February 28, 2021, which is the forecast period. It covers a period
158 after the end of the second COVID-19 wave and before a substantial fraction of the
159 population was vaccinated.

160 **Weather data processing**

161 In situ temperature, relative humidity, surface pressure, solar radiation and precipitation data
162 were obtained from a network of 187 automatic weather stations spread along Catalonia. For
163 each atmospheric variable, the original 30-minute data available since 2009 from the
164 Meteorological Service of Catalonia (MSC) were averaged to daily values. This allowed
165 estimating the maximum and minimum daily temperatures and hence the daily thermal
166 amplitude. Mean temperature difference between consecutive days was also computed. The
167 final time series were smoothed with a run-averaged filter of three days and used to obtain the
168 time series at each BHA by spatial interpolation in the region. In summary, the nine
169 atmospheric variables chosen for assessing the impact of weather on the propagation of the
170 COVID-19 are: daily mean temperature (T_{mean}), relative humidity (RH), shortwave solar
171 radiation (Rad), surface pressure (P), daily thermal amplitude (DTA), daily minimum
172 temperature (T_{min}), daily maximum temperature (T_{max}), temperature difference between
173 consecutive days (ΔT), and daily precipitation ($Prec$).

174 **Cross-correlation Analysis**

175 The relationship between the local weather and health variables was explored through a time-
176 lagged cross-correlation analysis between each of the nine atmospheric variables and the I_c
177 index. To explore the similarity between the two series, the atmospheric variables were
178 shifted forwards and backwards in time with respect to I_c . Negative time lags ($\tau < 0$)
179 indicate that changes in the infection index follow the atmospheric variables. Following our
180 initial hypothesis, that infection is driven by weather conditions, only negative lags are
181 considered for further analysis; considering the average maximum reported COVID-19
182 incubation days²² and according to the I_c definition, the maximum time lag considered was set
183 to $\tau_{max} = 10$ days. In order to quantify the impact of weather on the spread of the virus, we
184 assumed that an atmospheric variable affects the virus propagation if the sample correlation
185 coefficient (CCF) between this variable and the infection index is significant at a 95%
186 confidence level.

187 **Selection of climatic variables to build the model**

188 The propagation of the virus was modelled using a multiple linear regression model for each
189 BHA, with the predicted infection index $I_{c,pred}$ expressed in terms of p local climatic
190 predictors:

$$191 \quad I_{c,pred}(t; X_1, \dots, X_p) = c_0 + \sum_{j=1}^p c_j \cdot X_j(t + \tau_j^*), \quad (3)$$

192 where t is time, X_j indicates any of the local predictors of the model, c_0 is the constant
193 coefficient for the model, c_j ($j \in [1, p]$) is the regression coefficient for the X_j predictor, and
194 τ_j^* is the characteristic lag for the X_j predictor. The characteristic time lag is defined as the
195 time interval that produces the highest correlation coefficient between the predictors and the
196 observed I_c index. Hence, a total of $2p+1$ parameters are fitted for each BHA.

197 **Building the model: Model descriptors and statistics**

198 Before building the model, we explored the potential collinearity effects between the
199 predictors as detailed next. First, the correlation coefficients $r_{i,j}$ between two predictors,
200 namely X_i and X_j , were computed. Second, correlation t-tests were done to evaluate whether
201 the predictors have a significant linear relationship. The t -statistic $t_{TS,ij}$ associated with each
202 combination of predictors is calculated as:

$$203 \quad t_{TS,ij} = \frac{r_{i,j}\sqrt{n-2}}{\sqrt{1-r_{i,j}^2}}, \quad (4)$$

204 where n is the size of the sample. The statistics follows a t -distribution with $n - 2$ degrees of
 205 freedom $t_{TS,ij} \cong t_{n-2}$. Finally, if the two predictors were correlated, the degree of collinearity
 206 between them was evaluated using the variance inflation factor, defined as:

$$207 \quad VIF_j = \frac{1}{1-r_j^2}, \quad (5)$$

208 where the parameter r_j indicates the coefficient of determination of the variable j regressed on
 209 the remaining predictors. If VIF_j is less than 2.5, we considered that collinearity was not
 210 significant and both predictors could be used to build the model²⁴.

211 After inspecting the collinearity between predictors, we tested the regression coefficients
 212 separately for each BHA in order to select the predictors included in the final model. The
 213 significance for the regression coefficients was assessed using the t -test. Since these tests can
 214 be very conservative, we applied the forward stepwise estimation method to decide whether a
 215 candidate predictor must be included in the model, as follows. First, we selected the predictor
 216 with the highest correlation coefficient with the infection index. Then, this predictor and the
 217 infection index are fitted to a linear regression. As the model is linear, we use the adjusted
 218 coefficient of determination, r^2_{adj} , to evaluate the goodness of the fit. In our case, this
 219 coefficient represents the percentage of the variation in the infection index that can be
 220 explained by the variation in the predictors, taking into account the size and the number of
 221 independent variables in the model. Next, the predictor that has the highest correlation with
 222 the infection index was added to the linear model and r^2_{adj} , was recomputed. The F -test
 223 statistics was used to decide whether the addition of the remaining predictor made a
 224 significant contribution to the model. The F -statistic was calculated as:

$$225 \quad F_{k_2-k_1, n-k_2-1} = \frac{(SSR_2-SSR_1)/(k_2-k_1)}{SSE_2/(n-k_2-1)}, \quad (6)$$

226 where the sub-indexes 1 and 2 correspond to the models with the remaining predictor
 227 removed or added, respectively. The terms SSR and SSE indicate the sum of the squares due
 228 to regression (i.e., the variability of I_c explained by the regression) and the sum of the squares
 229 due to error (i.e., the variability of I_c not explained by the regression) for the corresponding
 230 models. Finally, n represents the size of sample and k the amount of predictors used in the

231 corresponding linear regression. The F -statistic is inspected at confidence level $> 90\%$. If
232 the F -value is significant at this confidence level (p -value ≤ 0.1), the model improves
233 significantly with the addition of the new predictor, which is maintained in the model. The
234 final model includes all predictors that passed this partial F -test.

235 Additionally, the final model was assessed using the joint F -test. This test allows deciding
236 whether the linear regression used in the model provides a better fit to the observations than a
237 model with no predictors (intercept-only model). The test statistic, which is denoted by F , has
238 a Fisher distribution and is calculated as:

$$239 \quad F = \frac{SSR (n-k-1)}{SSE \quad k}, \quad (7)$$

240 where SSR , SSE and n are defined in Eq. (6) and k is the amount of predictors in the model.
241 For each BHA, the linear fit to the data allows obtaining the F -statistic along with its
242 corresponding p -value for that statistic. If the p -value was higher than a 0.05 significance
243 level, we concluded that there is enough statistical evidence that the final model fits the
244 observations better than the intercept-only model.

245 Finally, the assumptions inherent to the linear regression model were analysed through the
246 residuals from the fitted model; statistical tests were implemented to complement the
247 graphical information of the residual plots. In this way, the Kolmogorov-Smirnov (K-S) test
248 was conducted at a 95% confidence interval in order to examine if the residuals are normally
249 distributed²⁵. Thus, the test statistic was computed to evaluate whether the gap between the
250 empirical and normal (hypothesized) distributions of the residuals is significant at the
251 considered confidence interval. In addition, the White test for heteroscedasticity²⁶ at 95%
252 confidence level was applied to assess if the regression errors have a non-constant variance.
253 If the p -value associated with the test statistic, which follows a Chi-square χ^2 distribution, is
254 smaller than the significance level of the test, then the statistic is not significant and there is
255 no evidence of heteroscedasticity in the final model.

256 **Model validation during the setup period**

257 The final model was internally validated for the setup period, from September 1 to November
258 18, 2020, through the implementation of the leave-one-out cross-validation (LOOCV)
259 method. Note that the time for this validation has been shifted backwards due to the
260 characteristic lags for P and RH found in the correlation analysis, as introduced in Eq. (3). In

261 the LOOCV procedure, the infection index I_c for the day i ($I_{c,i}$) was excluded and the model
262 was fitted using the remaining data. During this process, each of these training subsets
263 provided an individual model, which was expected to be slightly different from the original
264 one, and each model was used to predict the infection index $I_{c,[i]}$ with the i -th case removed
265 from the sample. The prediction error for each model was computed as $e_{[i]} = I_{c,i} - I_{c,[i]}$; it is a
266 measure of how close the prediction is to the observation when this observation is omitted.
267 The absolute percentage error in each measurement was obtained scaling each prediction
268 error against its corresponding observed value, that is $APE_{[i]} = 100 \cdot |I_{c,i} - I_{c,[i]}| / I_{c,[i]}$. Then, the
269 overall performance of the model was estimated using the mean of the absolute percentages
270 calculated previously ($MAPE_{CV}$). The prediction error $e_{[i]}$ was also used to estimate the root
271 mean square of that errors ($MAPE_{CV}$) when the predictions were obtained by cross-validation.
272 Finally, other statistical parameters were determined from the linear regression fit of the
273 observed values $I_{c,i}$ to the cross-validated ones $I_{c,[i]}$. A significance test was implemented to
274 evaluate the deviations of the slope and the y -intercept to the expected values, which are $\beta_1 =$
275 1 for the slope and $\beta_0 = 0$ for the y -intercept, respectively. The linear fit allows to compute the
276 R-squared of the cross-validation, q^2_{CV} . The F -test of overall significance was performed to
277 investigate whether the predictions obtained from the predictor variables, explain a
278 significant part of the variance observed in the responses compared to data obtained from a
279 model with no predictors.

280 The statistical parameters obtained by the application of the LOOCV method were compared
281 to the corresponding ones obtained from the data used to build the model. Table 1
282 summarizes the expressions of the statistical parameters used for construction and validation
283 of the model²⁷.

$$MAPE = \frac{1}{n} \sum_{i=1}^n APE_i = \frac{100}{n} \cdot \sum_{i=1}^n \frac{|I_{c,i} - I_{c,pred,i}|}{I_{c,i}}$$

$$MAPE_{CV} = \frac{1}{n} \sum_{i=1}^n APE_{[i]} = \frac{100}{n} \cdot \sum_{i=1}^n \frac{|I_{c,i} - I_{c,[i]}|}{I_{c,i}}$$

$$RMSE = \sqrt{\frac{\sum_{i=1}^n e_i^2}{n}} = \sqrt{\frac{\sum_{i=1}^n (I_{c,i} - I_{c,pred,i})^2}{n}}$$

$$RMSE_{CV} = \sqrt{\frac{\sum_{i=1}^n e_{[i]}^2}{n}} = \sqrt{\frac{\sum_{i=1}^n (I_{c,i} - I_{c,[i]})^2}{n}}$$

$$r^2 = 1 - \frac{\sum_{i=1}^n (I_{c,i} - I_{c,pred,i})^2}{\sum_{i=1}^n (I_{c,i} - \bar{I}_c)^2}$$

$$q_{CV}^2 = 1 - \frac{\sum_{i=1}^n (I_{c,i} - I_{c,[i]})^2}{\sum_{i=1}^n (I_{c,i} - \bar{I}_c)^2}$$

$$r_{adj}^2 = 1 - (1 - r^2) \frac{n - 1}{n - k - 1}$$

284 **Table 1.** Summary of the expressions used to determine the statistic parameters (*MAPE*, *RMSE* and standard R-
 285 squared r^2 and its adjusted version r_{adj}^2) in the internal and external model validations (left), and the internal
 286 cross-validation using the LOOCV method (right).

287 Model validation during the forecast period

288 The generalization of the final model was investigated using independent meteorological and
 289 health datasets for the period until February 2021. This forecast period, which includes the
 290 pandemic's third wave in Catalonia, allows testing the predictive ability of the model in each
 291 of the BHAs. Mobility and social restrictions in Catalonia decreased at the end of November,
 292 2020, but the increase of positive cases led to new restrictions on mobility (including curfew
 293 at night) and restrictions in bars, cafes and restaurants. The number of positive cases was
 294 maximum around January 15, 2021, followed by a decrease in the number of infections,
 295 falling to the levels before the onset of the third wave in February. On the other hand,
 296 vaccination in Catalonia began on December 27, 2020. The percentage of people who had
 297 received their first vaccine was low (< 10 %) until February, and increased to about 30% by
 298 the end of April 2021. Despite this minor fraction of vaccinated population and the reset of
 299 some mobility limitations, we have used the data from November 19, 2020, to February 2,
 300 2021, to validate the final model for all eight BHAs.

301 The validation for this forecast period was done using the same procedure as described for
 302 the internal validation. First, the values of the infection index $I_{c,i}$ during this time period were

303 calculated from the health data time series. Second, the predicted values $I_{c,pred,i}$ were
304 estimated from the linear regression model. Third, the predicted and observed values were
305 compared and the statistical significance of the linear fit, the slope and the intercept were
306 assessed. Finally, the prediction errors for each value of $I_{c,i}$ were computed as the differences
307 between observed and predicted values, $e_i = I_{c,i} - I_{c,pred,i}$, normalized by each observation $I_{c,i}$
308 in order to obtain the mean absolute percentage error of the external validation (*MAPE*).
309 Additionally, the same statistical parameters estimated for the internal validation were
310 calculated to assess the overall performance of the final model with this new dataset,
311 including r^2_{ext} , $r^2_{ext,adj}$ and *RMSE* (Table 1).

312 **Results**

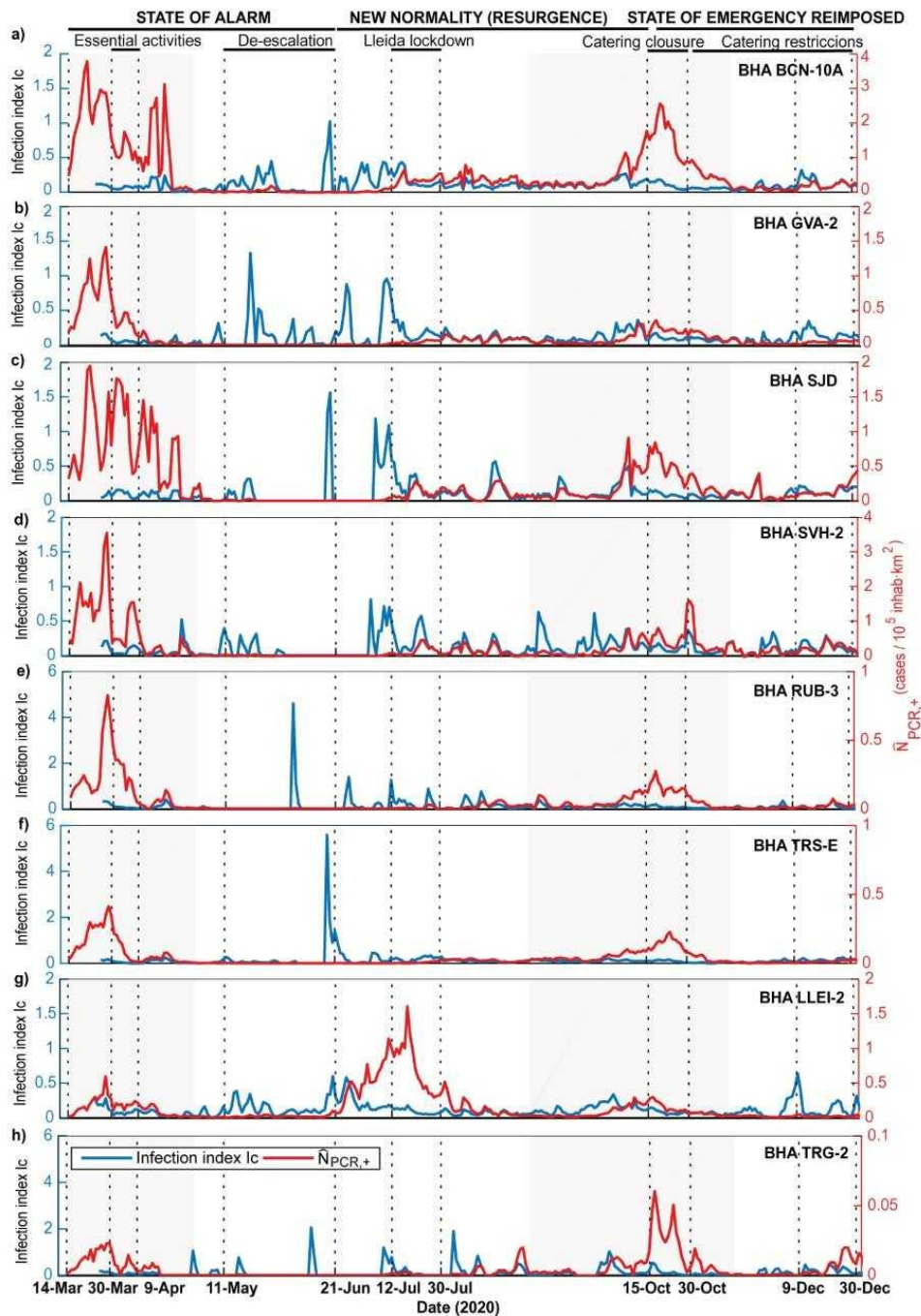
313 **Seasonality of COVID-19 in Catalonia**

314 The first and second COVID-19 outbreaks in Catalonia took place respectively in March-
315 April and October 2020. Both outbreaks have been assessed through the number of positive
316 PCR cases, normalized in terms of population and area, and the contagious or infection index
317 I_c (see Methods) (Fig. 2). Values of I_c higher than 1 indicate that the number of positive cases
318 at any day are higher than the summation of all positive cases during the previous 10 days,
319 characterizing situations of high transmissibility for small number of infections. Note that the
320 range of normalized PCR cases varies substantially between locations, from maximum values
321 in excess of 3.5 per 10^5 inhab km^2 for the most populated values, decreasing to peak values
322 about 0.05 cases per 10^5 inhab km^2 in the least populated BHAs. However, the peak infection
323 indexes ranged between about 1 and 6, with larger and more intermittent peaks in the least
324 populated BHAs.

325 The Spanish first state of alarm lasted between March 14 and June 21, 2020, with strict social
326 interaction and mobility restrictions. After this last date and until the end of October, these
327 measures were similar to the pre-pandemic period, leveraged by non-pharmaceutical
328 interventions (NPI) like minor mobility restrictions and compulsory face mask. In the
329 absence of lockdown, an increase of the SARS-CoV-2 transmissivity has been found to occur
330 in areas of high-density population²⁸, likely related with environmental factors¹⁹.

331 During the first pandemic wave, the Barcelona (BCN-10A) reached the highest number of
332 confirmed cases with 3.9 cases per 10^5 inhab km^2 followed by Sant Vicenç dels Horts (SVH-
333 2) and Sant Just Desvern (SJD) with 3.7 and 1.9 cases per 10^5 inhab km^2 , respectively. These

334 maxima were reached before the Spanish government banned all non-essential activities on
335 March 14. Following this first lockdown and coinciding with the lowest percentage of
336 mobility registered during 2020²⁹, the number of confirmed cases sharply decreased in all
337 BHAs. During the first half of April the number of positive cases descended progressively for
338 Gava (GVA-2), Rubi (RUB-3), Terrassa (TRS-E) and Lleida (LLEI-2) (Fig. 2b,e,f,g),
339 whereas for the remaining BHAs (with the highest density population) there were still several
340 intermittent important peaks (e.g. BCN-10-A and SJD, Fig. 2a,c). In the second half of April
341 the number of cases reduced drastically, flattening the curve for all BHAs and leading to a
342 gradual leverage of social restrictions and an increase in mobility. In June 2020, when most
343 of the mobility restrictions had stopped, the number of positive PCR remained low, not
344 exceeding 0.5 cases per 10^5 inhab km^2 . The single exception was LLEI-2, which reached 1.5
345 cases per 10^5 inhab km^2 (Fig. 2g). In this particular case, the enhancement in virus
346 transmission was associated with seasonal agricultural workers living in overcrowded
347 conditions, which acted as reservoirs and further spreaders of the infection due to socio-
348 economic conditions³⁰.



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Figure 2. (a-h) Temporal evolution during 2020 of the number of COVID-19 cases in the eight selected Catalan BHAs, presented both in terms of the normalised number of cases $\hat{N}_{PCR,+}$ as determined through the PCR positive tests (red line) and the rate of infections I_c (blue line). In each panel, the grey shaded areas indicate the first and the second pandemic wave periods and the vertical dotted lines delineate the duration of the main social and mobility restrictions imposed in Catalonia due to the COVID-19 disease.

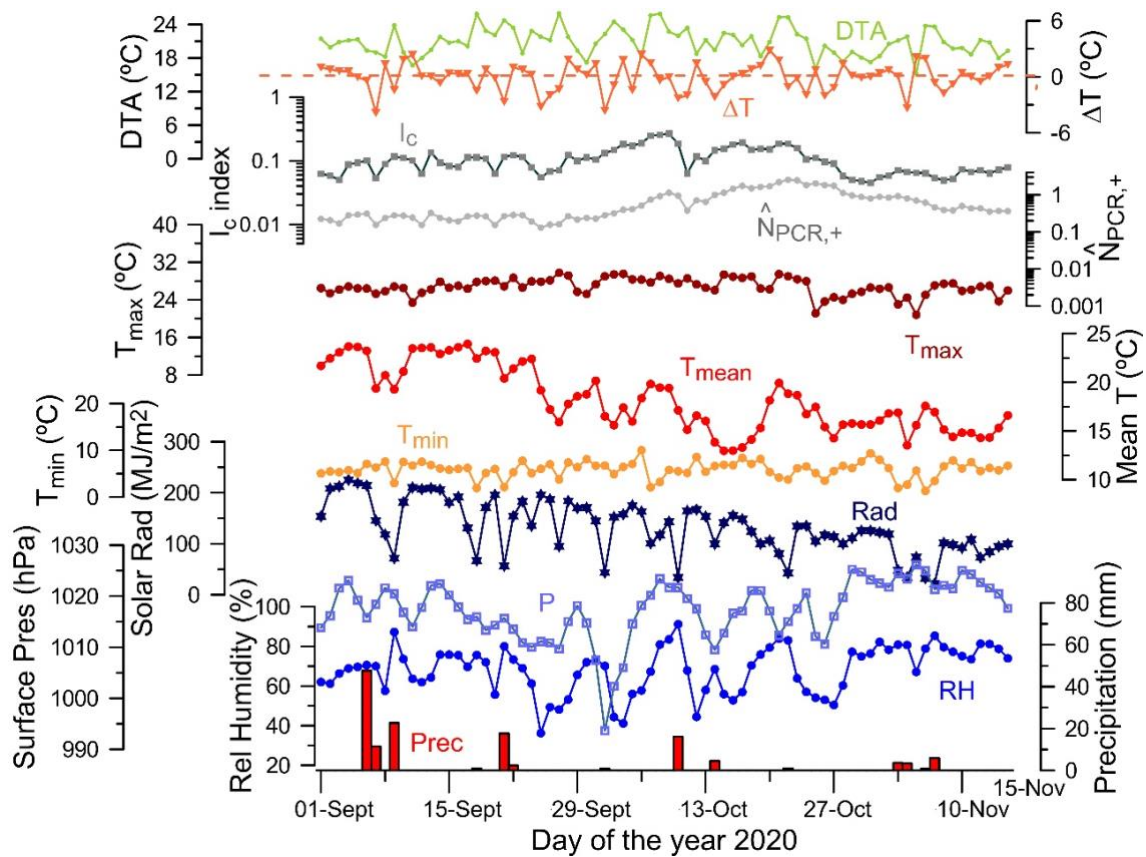
356 During this first wave the infection index I_c remained low, indicating that the government
357 measures were effective to prevent contagion. In contrast, several high I_c peaks appeared
358 intermittently during summer (Fig. 2) without any major response on the standardised PCR,
359 with the exception of LLEI-2 (Fig. 2g). This suggests that there were irregular infection
360 episodes taking place although the initial low numbers of infected people and the
361 intermittency of these events did not allow the number of infected people to grow. It could be
362 argued that the weather conditions were neither favourable to spread the infection but,
363 because of the extremely high mobility during this period, this is very difficult to assess.

364 During the second pandemic wave, the highly-populated Barcelona metropolitan area (SVH-
365 2 and BCN-10A) showed again the highest values, respectively with 1.7 and 2.7 cases per 10^5
366 inhab km^2 , although these values were lower than during the first pandemic (Fig. 2a,d). In
367 contrast, in the coastal town of Tarragona (TRG-2) values reached 0.07 per 10^5 inhab km^2 ,
368 higher than during the first wave (Fig. 2h). The normalized number of positive PCR cases
369 behaved similarly in all BHAs, rising in the second half of September and peaking in late
370 October. Throughout summer, the I_c index remained intermittent and relatively high in all
371 BHAs except Terrassa (TRS-E) and Rubi (RUB-3). The mobility restrictions remained low
372 until the end of October, therefore the increase in COVID-19 transmission may be associated
373 with weather conditions^{31,19}; indeed, during this time period, several cold fronts circulated
374 from west to east in a row, a typical autumn scenario (see Figs. S1 and S2, Supplementary
375 information).

376 **Correlation between weather variables and the infection index**

377 In order to explore the role of weather on the second COVID-19 wave in our study region, we
378 analyse the time-lagged correlations between local infection indicators and weather data for
379 each of the eight BHAs. We use nine daily-averaged atmospheric variables for each BHA,
380 during the period from September 1 and November 15, 2020 (see Methods). The initial
381 selection of humidity and temperature was based on previous research on Sars-Cov-2 and
382 other respiratory viruses such as influenza, which explored the impact of seasonal variations
383 of these variables on virus survival in the environment or on host susceptibility^{32,33,34}.
384 Additionally, we include solar radiation, precipitation, surface pressure, minimum and
385 maximum temperature, daily thermal amplitude and mean temperature difference between
386 consecutive days.

387 The evolution of the normalised number of cases and the infection index can be compared
 388 with changes in the atmospheric variables as it is shown in Fig. 3 for BCN-10A (see in Fig.
 389 S2, Supplementary information, for all BHAs). Oscillations in surface pressure, temperature,
 390 relative humidity and solar radiation are associated with the passage of cold fronts in this area
 391 (see, for example, the oscillation in September 7 to 10). The time series also reveals
 392 oscillations in the infection index, which apparently appear several days after the atmospheric
 393 changes. We hence explore the correlation of I_c with the entire selected set of atmospheric
 394 variables in order to determine their possible influence on the spread of the virus.

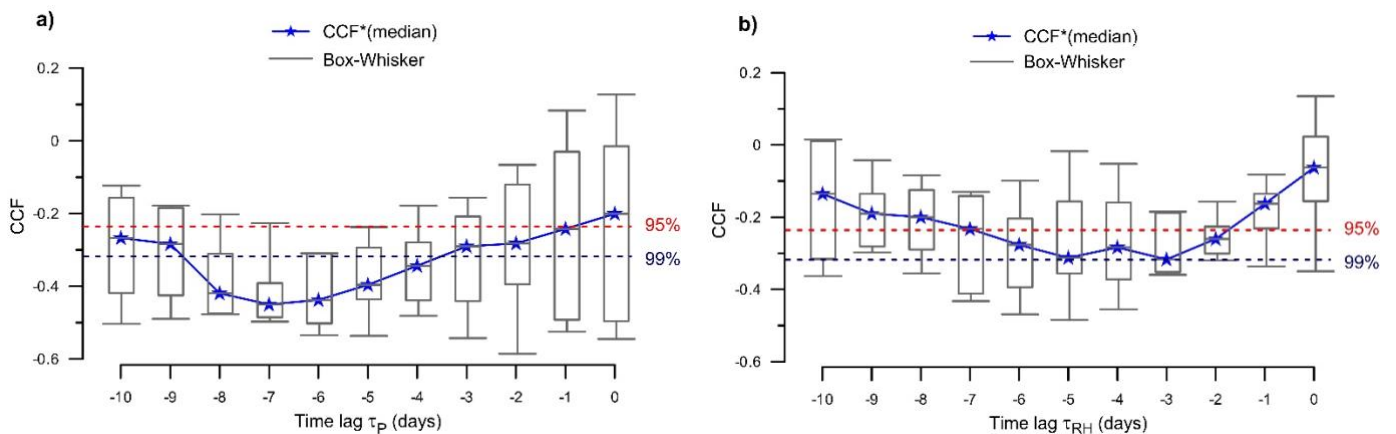


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396 **Figure 3.** Time series of daily values of atmospheric variables during the second outbreak (September 1 to
 397 November 15) together with the normalized number of cases ($\hat{N}_{PCR,+}$) and the infection index (I_c) for BCN-
 398 10A. The atmospheric daily variables are mean temperature (T_{mean}), relative humidity (RH), solar
 399 radiation (Rad), precipitation ($Prec$), surface pressure (P), minimum and maximum temperature (T_{min}, T_{max}), daily
 400 thermal amplitude (DTA) as well as mean temperature difference between consecutive days (ΔT). The units for
 401 these variables are indicated in their corresponding axes.

402 Our results show consistent significant negative correlation between surface pressure (P) and
 403 relative humidity (RH) and the lagged infection index I_c for all BHAs. A negative correlation
 404 indicates that a decrease in P and/or RH enhances the spread of the virus several days later.

405 For $P - I_c$, the correlation is significant at $> 99\%$ confidence level in all BHAs for specific
 406 time lags(τ). The average cross-correlation coefficient for all BHAs is maximum ($CCF \cong -$
 407 0.5) at $\tau = 7$ days, although some areas have even higher coefficients at shorter lags (Fig. S3,
 408 Supplementary Information). On the other hand, the statistical significance of $RH - I_c$
 409 decreases below 99% in four of the BHAs (GVA-2, SJD, SVH-2 and TRS-E) but still
 410 remains significant at $> 95\%$ confidence level. In this case, the highest values for the
 411 correlation coefficients ($CCF \cong - 0.35$) are obtained for $\tau = 3$ to 5 days. The other
 412 meteorological variables evaluated do not show consistent correlation scores (Fig. S3,
 413 Supplementary information). In particular, the variables derived from temperature and
 414 precipitation are, in general, poorly correlated with the infection index. Only two BHAs
 415 (LLEI-2 and TRG-2) have significant correlations at the longest lags, $\tau = 10$ days. The daily
 416 thermal amplitude is significant at $> 95\%$ confidence level in five out of the eight BHAs, but
 417 the cross-correlation function for these BHAs has variable time lags. A similar situation
 418 appears in the case of the shortwave solar radiation (Fig. S3, Supplementary information).



419
 420 **Figure 4.** Composite box plots of the cross-correlation coefficients (CCF) of a) surface pressure and b) relative
 421 humidity with respect to I_c as a function of lag time, calculated using the eight reference BHAs. The lower and
 422 upper ends of the box represent the first and third quartiles, respectively, and the median (CCF^*) is indicated by a
 423 blue star. The whiskers extend to the most extreme value within 1.5 IQR (interquartile range) from the box ends.
 424 Horizontal dashed lines indicate the statistical significance of the coefficients at 95% (red line) and 99% (blue
 425 line) confidence levels.

426 We may use all eight BHAs to produce a composite box-plot of CCF as a function of time
 427 lag, for either P and RH with respect to I_c (Fig. 4). For each lag, we select the median of the
 428 CCF box plots (hereinafter CCF^*) as the representative value of the set. For both variables,
 429 CCF^* shows a well-defined valley where the negative correlation is highest (Fig. 4). Surface

430 pressure has the largest absolute correlation at $\tau_{P,min} = -7$ days and the relative humidity has
431 minima at both $\tau_{RH,min} = -3$ days and -5 days. For both variables, the τ_{min} values occur at
432 CCF^* significant confidence levels. For surface pressure, CCF^* is actually significant at 99%
433 confidence level for $\tau_P \in [-8, -4]$; in particular, the smallest interquartile ranges (IRQ) for the
434 CCF distributions are in this lag interval ($IRQ \cong 0.1$), indicative of a minimum dispersion of
435 the CCF values among the different BHA (see Fig. 4a). The smallest dispersion is found at
436 $\tau_{P,min} = -7$ days, with $IRQ(\tau_{P,min}) \cong 0.05$. We conclude that most of the inspected BHAs
437 show the highest correlations between I_c and P at $\tau_{P,min} = -7$ days. In the case of the relative
438 humidity, we observe a similar behaviour, but in a range of $\tau_{RH} \in [-6, -2]$, although the
439 confidence level decreases to 95% (Fig. 4b). In this interval, the interquartile range (IQR) for
440 the CCF coefficients is about 0.2, and the smallest value takes place at $\tau_{RH} \cong -3$ days, with
441 $IRQ(\tau_{RH,min}) \cong 0.1$. These results indicate that the infection index is negatively correlated
442 with the surface pressure conditions 7 days before and with the relative humidity conditions 3
443 days before. We conclude that a decrease (increase) in P or RH leads to an increase
444 (decrease) in I_c and vice versa some 7 and 3 days later, respectively. These values for the time
445 lags are chosen as the characteristic lags (τ^*) for the surface pressure and the relative
446 humidity in the study area.

447 **Surface pressure and relative humidity as predictors of COVID-19 variability**

448 The cross-correlation analysis indicates that surface pressure and relative humidity are the
449 only variables that bear statistical significant correlation with I_c ($> 95\%$ confidence level) in
450 all BHAs. Hence, we identify them as potential predictors for the time evolution of COVID-
451 19 in Catalonia (Spain), with one single time lag for each predictor over the entire region.
452 However, the infection index differs substantially between the different BHAs, likely
453 reflecting specific demographic and geographic characteristics (Fig. 1). Hence, we propose a
454 multiple linear regression model of the infection index in terms of these two variables, with
455 the same time lags for all BHAs but allowing for changes in the coefficients as follows (Eq. 3
456 in Methods):

$$457 \quad I_{c,pred}(t; P, RH) = c_0 + c_1 \cdot P(t + \tau_P^*) + c_2 \cdot RH(t + \tau_{RH}^*) \quad (8)$$

458 where $c_i \forall [1,3]$ are the model regression coefficients for each BHA, the predictor 1 is the
459 surface pressure P (measured in hPa) and the predictor 2 is relative humidity RH (measured
460 as a percentage of absolute humidity relative to the maximum saturation value for that

461 temperature). The temporal variable ($t \geq 0$) is the day counter for the selected time period and
462 τ_j^* is the characteristic for the j predictor. The time-lags between the weather and health
463 variables cause that the atmospheric time series start and end later than the health time series.

464 The setup and application of the climate-dependent COVID-19 model is explained in detail in
465 Methods. Briefly, the model is first developed using the P , RH and I_c time series during the
466 second outbreak (September 1 to November 15, 2020, for the atmospheric variables and time
467 lagged for the health variables, the setup period). This includes obtaining common time lags
468 for all BHAs and individual regression coefficients for each BHA. The model is then used to
469 forecast I_c ($I_{c,pred}$) for an independent dataset (November 19, 2020, to February 2, 2021, the
470 forecast period). The validations for both the setup and forecast periods are conducted
471 through the leave-one-out cross-validation (LOOCV) method (see External validation of the
472 model, Supplementary information). Note that after February 2021, over 10% of the Catalan
473 population had already received their first vaccine (Chaudhuri et al., 2022)³⁵, likely
474 undermining the use of more recent data for external validation. The results and statistics of
475 the model validation are extensively explained in different sections of the Supplementary
476 document.

477 Fitting the model I_c predictions to the observations for the setup period (see Model
478 parameters and statistics, Supplementary information) shows that the two predictors, P and
479 RH , have a significant contribution to the model ($> 90\%$ confidence level) in four of the eight
480 BHA (BCN-10A, SJD, RUB-3 and LLEI-2). For the other four stations, it turns that one
481 single predictor, P or RH , is enough to characterize the evolution of I_c . Specifically, the
482 model does not significantly improve by adding P in TRG-2 or by adding RH in GVA-2,
483 SVH-2 or TRS-E. The regression coefficients, c_1 and c_2 , are significant at 95% confidence
484 level in all BHAs and their values vary between $[-10, -3] \times 10^{-3} \text{ hPa}^{-1}$ ($\text{mean}(c_1) = -5.90 \times 10^{-3}$
485 hPa^{-1} ; $\text{std}(c_1) = 1.90 \times 10^{-3} \text{ hPa}^{-1}$) and $[-4, -1] \times 10^{-3}$ ($\text{mean}(c_2) = -1.91 \times 10^{-3}$; $\text{std}(c_2)$
486 $= 1.12 \times 10^{-3}$). The negative regression coefficients indicate that a decrease (increase) in the
487 infection index occurs when P and RH increases (decreases) several days before, confirming
488 the results of the correlation analysis (Fig. 4a,b).

489 During the pandemic's second outbreak or setup period, as expected, the model captures well
490 the general behaviour of I_c . This is confirmed by the significant correlation coefficients (r)
491 obtained between the $I_{c,pred}$ and I_c . In particular, RUB-3, TRS-E or BCN-10A exhibit the
492 highest correlations, with $r = 0.67$, 0.54 and 0.56 , respectively; SVH-2 and LLEI-2 show
493 correlations higher than 0.5, and the remaining three BHAs show lower yet statistically

494 significant correlations ($0.3 < r < 0.5$; $p\text{-val} < 0.01$). We conclude that our simple climate-
495 dependent model reproduces the main changes anomalies in the infection index during the
496 second COVID-19 outbreak in Catalonia (fall 2020).

497 **Forecasting the infection index during the third wave**

498 The pandemic third outbreak started with an increase of the infection rate in early December
499 2020 but declined to the pre-outbreak levels in January 2021 (Fig. 5). The mobility and social
500 measures progressively relaxed between late October 2020 and early May 2021, when the
501 state-of-alarm was revoked; during this period, however, social interactions increased
502 substantially during the festivities in late December and early January. During this third
503 wave, the infection rate followed specific features depending on the analysed BHAs. For
504 example, in BCN-10A, GVA-2 and LLEI-2, there is a clear peak in mid-December followed
505 by two secondary peaks in late December and early January (Figs. 5a,b,g). However, this is
506 not the case for SJD, that had peaks of comparable amplitude (Fig.5c), or for TRS-E, where
507 the situation was reverted and the two secondary peaks took place in December and the main
508 peak during the New Year's Eve (Fig. 5f).

509 We apply our climate-dependent multiple-regression model to the forecast period (November
510 19, 2020, to February 2, 2021), in order to forecast the infection index for each health area
511 ($I_{c,pred}$) during the pandemic's third outbreak (Fig. 5). Despite differences in amplitude, most
512 BHAs illustrate three peaks in I_c during mid- and end-December 2020 and in January 2021
513 (Fig.5). Outstandingly, the predictions reproduce the basic features in the observed index (I_c)
514 for most BHAs. The model reproduces quite well the increase of infection index I_c during
515 mid-December and January in the LLEI-2 ($r = 0.33$), SJD ($r = 0.42$), GVA-2 ($r = 0.40$) and
516 BCN-10A ($r = 0.33$). Notice that for GVA-2 and BCN-10A the model simulates the
517 enhancement of infection rate 5-7 days earlier than in the observations (Fig.5a,b). However,
518 the model generally fails to reproduce the third peak of I_c at the end of December. For the
519 remaining BHAs (TRG-2, TRS-E and RUB-3), the correlation remains significant (0.40 to
520 0.47) when only the second half of the period (December 25 to January 20) is considered
521 (Fig. 5e,f,h). However, the model fails completely to forecast I_c in SVH-2 for the entire
522 period, showing even an out-of-phase behaviour between the observed and predicted values
523 (Fig. 5d).

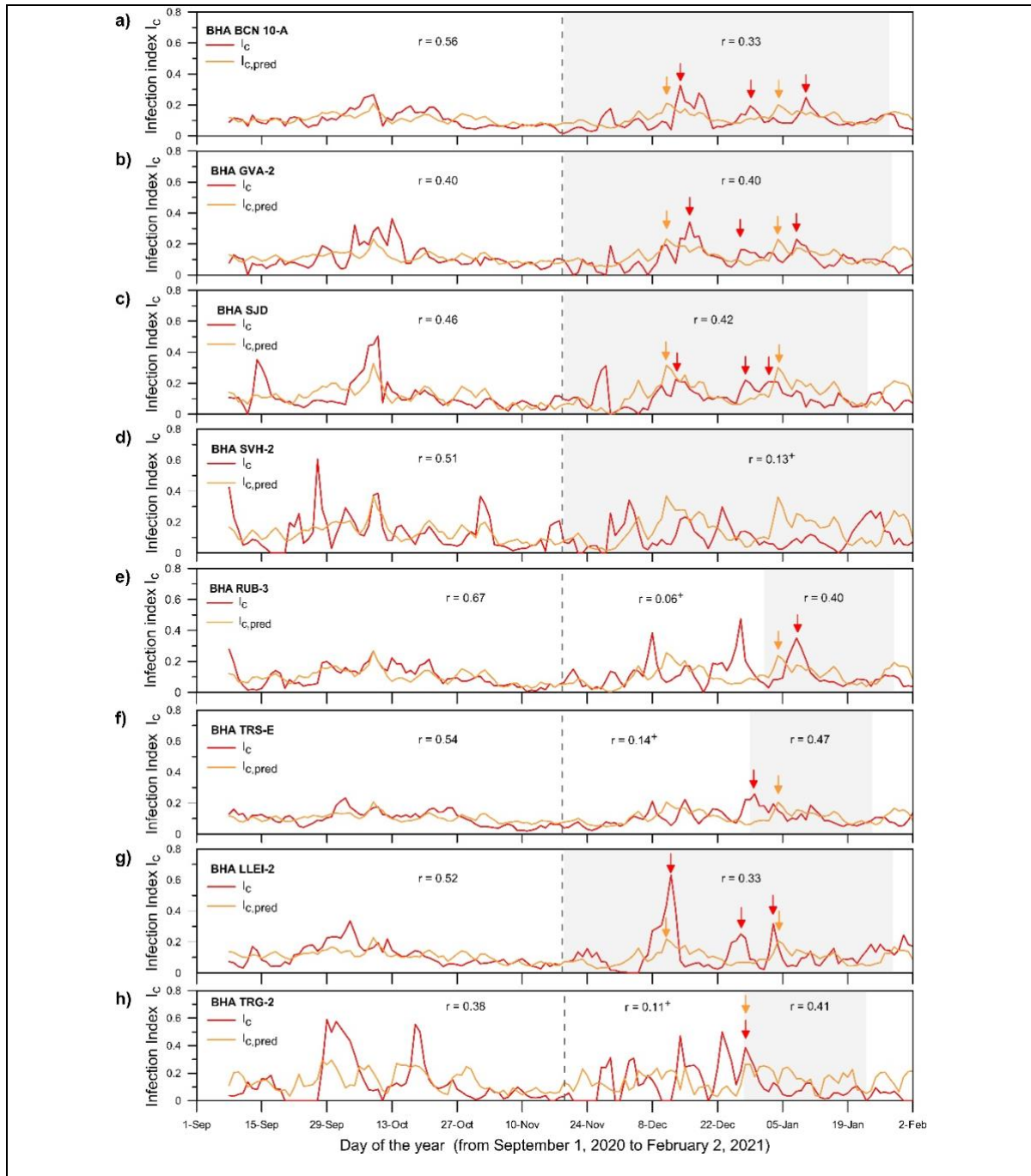
524 The relative success of the climate model is remarkable if we consider that the entire forecast
525 period was very anomalous in terms of limited mobility and social interaction, with

526 restrictions until early May but with temporary relaxation during the holiday season. Finally,
527 it is important to note that when the normalized number of cases is low then the observed and
528 predicted infection indexes show no significant correlation ($p\text{-val} > 0.01$), as it happens in
529 several BHAs between November 19 and the end of the year (Fig S7, Supplementary
530 information).

531 **Discussion**

532 We have explored the effects of weather conditions on the propagation of the coronavirus
533 SARS-CoV-2 in eight highly-populated basic health areas (BHAs) of Catalonia, in the north-
534 western Mediterranean area, between March 2020 and February 2021. For this purpose, we
535 have proposed, developed and validated a predictive model that assesses the impact of
536 weather on the COVID-19 infection rate. The transmission of the virus has been monitored
537 using a simple parameter, the daily infection index I_c , which is defined as the ratio between
538 the people infected with the virus at any day and the potential infectious population at that
539 same day (people infected with the virus during the 10 previous days). Nine weather
540 variables (mean temperature, relative humidity, solar radiation, surface pressure, daily
541 thermal amplitude, minimum and maximum temperature, precipitation and mean temperature
542 difference between two consecutive days) have been explored as the potential environmental
543 drivers of the virus expansion.

544 A cross-correlation analysis between each weather variable and the I_c index was done from
545 September 1 to November 15, 2020, a period of low mobility and social restrictions. The
546 results of this cross-correlation analysis show significant correlations for surface pressure (P)
547 and relative humidity (RH), at confidence levels respectively above 99% and 95%, in all
548 BHAs; in contrast, all other climatic variables are either poorly correlated with I_c or exhibit
549 non-coherent correlations. From our knowledge, this is the first time that surface pressure is
550 proposed as a key factor for virus transmissivity. A predictive model for I_c solely based on P
551 and RH provides consistent and significant results. The cross-correlation analysis indicates
552 that the highest correlations occur when I_c lags P and RH by 7 days and 3 days, respectively.



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Figure 5. Results for the eight BHAs (panels a) through h)) showing the temporal evolution of the observed infection I_c index (red lines) and the corresponding predicted $I_{c,pred}$ values (light lines) as obtained from the climate model between September 1, 2020, and February 2, 2021. The vertical dashed line on November 18, 2020, delineates the setup and forecast periods. The grey shaded areas indicate selected portions of the forecast interval with the highest correlation coefficient between the two series. The correlation coefficients for each time interval are displayed in the upper part of each panel. The symbol ‘+’ indicates time intervals when the two series are not statistically significant at a minimum 90% confidence level; in several cases it corresponds to time periods of low normalized number of cases (see Fig. S7, Supplementary information). The arrows indicate the main and the secondary observed (red) and predicted (light orange) I_c peaks during the forecast periods.

563 We find that during the model setup period, when there were no mobility and social
564 restrictions and there was not yet a vaccine available, surface pressure P and relative
565 humidity RH work well as COVID-19 predictors. A multiple-regression model that uses only
566 five parameters, with time lags obtained from the composite analysis of all eight BHAs, has
567 predictive capacity with a confidence degree above 95%. In particular, the model regression
568 coefficients are negative for all health areas, indicating that a decrease of P and RH causes an
569 increase of the I_c index after several days. The linearity of the model implies that the highest
570 values of I_c are found between 3 and 7 days after P and RH reach their minima.

571 The climate-dependent model works reasonably well when applied to the posterior predictive
572 period, with a predictive skill significant at a 90% level in four out of the eight BHAs (BCN-
573 10A, GVA-2, SJD and LLEI-2), and remaining significant during shorter periods for three of
574 the other areas (RUB-3, TRS-E and TRG-2; correlation scores between 0.33 and 0.47). This
575 means that 14% to 45% of the variability of the infection index I_c can be explained by the
576 weather conditions in the selected eight BHAs of Catalonia during the setup period
577 (September 1 to November 15), and that 11% to 22% of the infection rate is attributed to the
578 weather component during the predictive period. The reduction in this latter period is likely
579 associated to the changing social interaction and mobility measures, much greater than during
580 the setup period.

581 The proposed mechanisms for weather-mediated changes in respiratory disease include the
582 effects of weather on virus survival in surfaces and outdoors, changes in the susceptibility to
583 the disease, and also variations in human social behaviour. To our knowledge, surface
584 pressure has not been previously described as a driver of SARS-CoV-2 transmission. The
585 predictor capacity of surface level pressure on the virus expansion may possibly arise from
586 both direct and indirect causes. A pressure change is the main indicator for the passage of
587 low- and high-pressure frontal systems that bring substantial changes in weather, such as
588 temperature, precipitation or wind velocity. Further, rapid changes in weather conditions may
589 affect the susceptibility to airborne virus infection with disruption of local mucosal immunity.
590 An indirect effect may be the weather-related changes in human behaviour. The most evident
591 is to seek indoor spaces and for much longer time periods under bad weather conditions,
592 which are in turn more suitable conditions of infection spreading, through increased
593 persistence of the virus in the air and surfaces³⁶, and enhanced close contacts³⁷. Accordingly,
594 a scientific report lead by WHO-China commission concluded that 78-85% of transmissions
595 occurred within household settings during the first wave, suggesting that transmission occurs

596 during close and prolonged contact². Moreover, in enclosed spaces with inadequate
597 ventilation, small infected droplets and particles can remain suspended for minutes to
598 hours^{38,39}.

599 The 7-days lag between a decrease in surface pressure and the onset of a peak of infection
600 agrees with the incubation period of the SARS-CoV-2 variants circulating during the study
601 period (mean of 5.7 days and a range between 2-14 days⁴⁰. The 3-days lag for relative
602 humidity is more difficult to justify, even if it still lays between the estimated incubation
603 period bounds. The linear model predicts that dry conditions will favour the propagation of
604 the virus (an increase in I_c) about 3 days later and wet conditions will tend to inhibit it. Low
605 humidity has been considered as a key weather factor associated with the transmission and
606 stability of respiratory viruses such as influenza. This effect has been related to susceptibility
607 and severity of influenza infection through disruption of local mucosal immunity of the
608 respiratory tract^{41,32,12,42}, and recent studies support an inverse relation between humidity and
609 the spreading of SARS-CoV-2, consistent with our findings^{43,44}. However, a recent study⁴⁵
610 found that coronavirus have a different pattern of weather susceptibility as compared with the
611 influenza virus, with an increase of transmission (above 80%) in England and Wales (UK)
612 during periods of high relative humidity, becoming a better predictor than specific or absolute
613 humidity. The positive effect of relative humidity towards SARS-CoV-2 infectiousness has
614 also been found in other studies^{46,47,15,16,17,48}.

615 The disparity of findings related to humidity suggests that there may be geographically-
616 dependent factors⁴¹ that possibly constrain the humidity conditions and the virus response.
617 Our results show that surface pressure is the most influential weather variable, and indeed
618 this is probably the main atmospheric indicator for the arrival of frontal systems. Depending
619 on latitude and location – e.g. west versus east coasts of continents – these systems will
620 typically arrive from different directions and crossing either land (dry) or sea (wet) regions,
621 hence driving a decrease or an increase in humidity. This idea fits with our finding that
622 surface pressure is the main weather driver while relative humidity has a more secondary
623 role. Something similar could be happening with other possibly secondary variables such as
624 sunlight radiation, which has been related to susceptibility to SARS-CoV-2 and other
625 airborne viruses⁴⁹.

626 Our results do show that there is a significant role of weather in epidemic outbreaks, although
627 the lack of immunity (high susceptibility) of a population remains as the main driver⁵⁰. The
628 inability of current vaccines and previous infections to fully prevent the infection of new

629 SARS-CoV-2 variant and the definitive leverage of social restrictions, increase the interest on
630 weather conditions. Under this post-pandemic induction phase context, weather conditions
631 may substantially influence the onset and extend of new waves and outbreaks (as observed in
632 other respiratory viruses), and even lead to the establishment of seasonal patterns of SARS-
633 CoV-2 infection in the near future. Our results have identified relative humidity and,
634 particularly, surface pressure as useful predictors to be included in more complex
635 epidemiological models of the spread of COVID-19 and other respiratory viruses.

636

637 **Data availability**

638 The data analyzed during the current study is available in the Catalan Transparency Portal
639 databases for each data set: automatic weather stations (XEMA) from the Meteorological
640 Service of Catalonia, [https://analisi.transparenciacatalunya.cat/Medi-Ambient/Dades-
641 meteorol-giques-de-la-XEMA/nzvn-apee](https://analisi.transparenciacatalunya.cat/Medi-Ambient/Dades-meteorol-giques-de-la-XEMA/nzvn-apee), and open database of COVID19 record from the
642 Health Department of Catalonia, [https://analisi.transparenciacatalunya.cat/Salut/Registre-de-
643 casos-de-COVID-19-a-Catalunya-per-rea-xuwf-dxjd](https://analisi.transparenciacatalunya.cat/Salut/Registre-de-casos-de-COVID-19-a-Catalunya-per-rea-xuwf-dxjd). The datasets are also available from
644 the corresponding authors on reasonable request.

645

646 **Authors contribution**

647 J.P.M. wrote the main manuscript text and performed the statistical analysis and the model
648 experiments. I.V.C. analysed the health and meteorological data and wrote the main
649 manuscript text. J.L.P. contributed to the conception or design of the work and revised the
650 main manuscript. M.M.R. made substantial contributions to the conception of the work.
651 A.O.A. analysed the meteorological data and critically revised the manuscript. X. V. made
652 substantial contributions to the conception of the work and critically revised the manuscript.
653 J.R. provided the health data. C.R.G.L. and O.E. critically revised the manuscript.

654

655 **Competing interests**

656 The authors declare no competing interests or other interests that might be perceived to
657 influence the results and/or discussion reported in this paper.

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660 **References**

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Figures

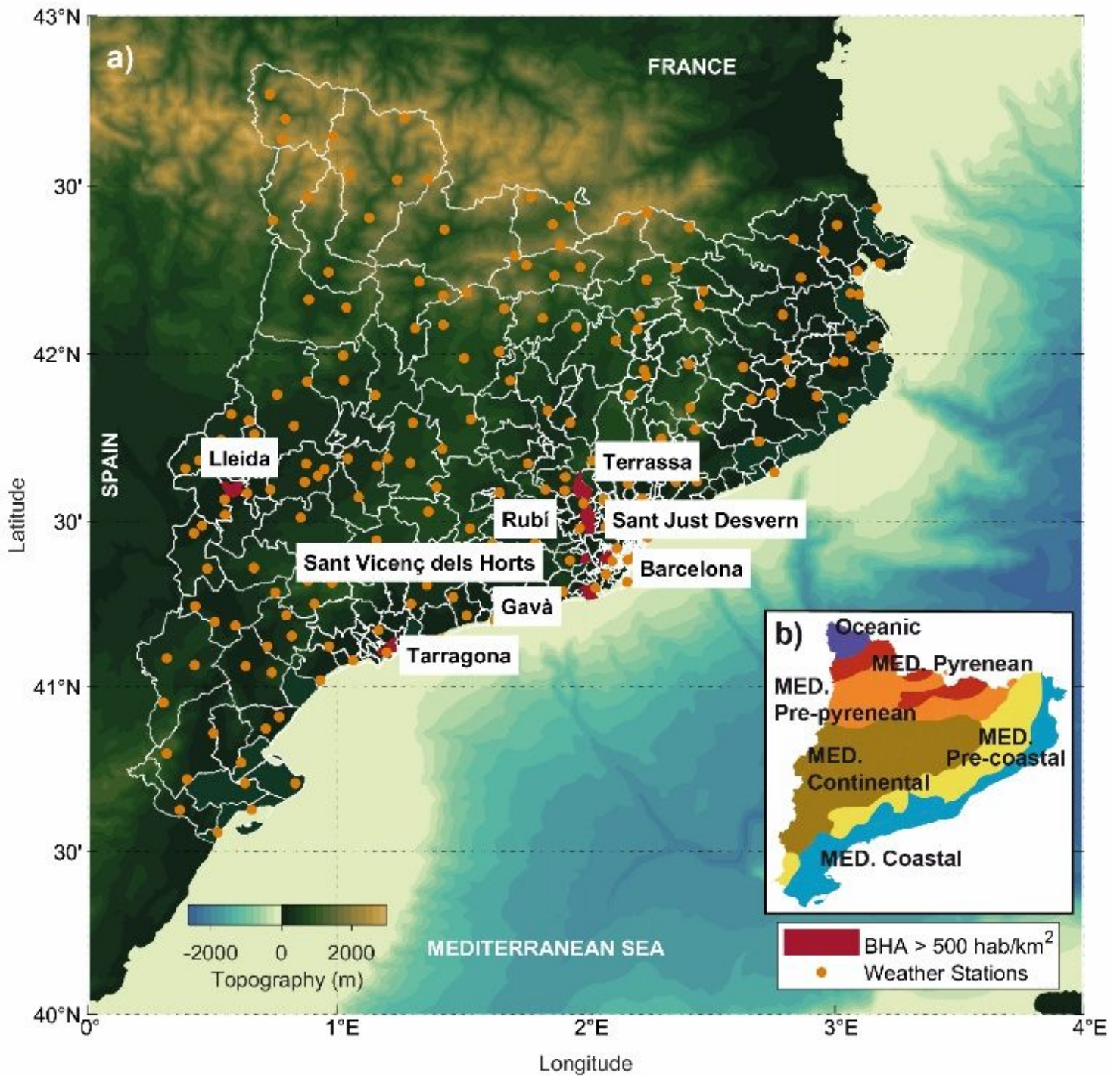


Figure 1

(a) Basic health areas (BHAs, delimited in white) and automatic weather stations (orange dots) in Catalonia. Those BHA selected for this study, with a population density d^3 500 inhab km², are drawn in red. (b) Bioclimates in Catalonia according to the climatic conditions: Mediterranean coastal,

Mediterranean pre-coastal, Mediterranean continental, Mediterranean pre-Pyrenean, Mediterranean Pyrenean and Oceanic²³ published on the Meteorological Service of Catalonia (MSC).

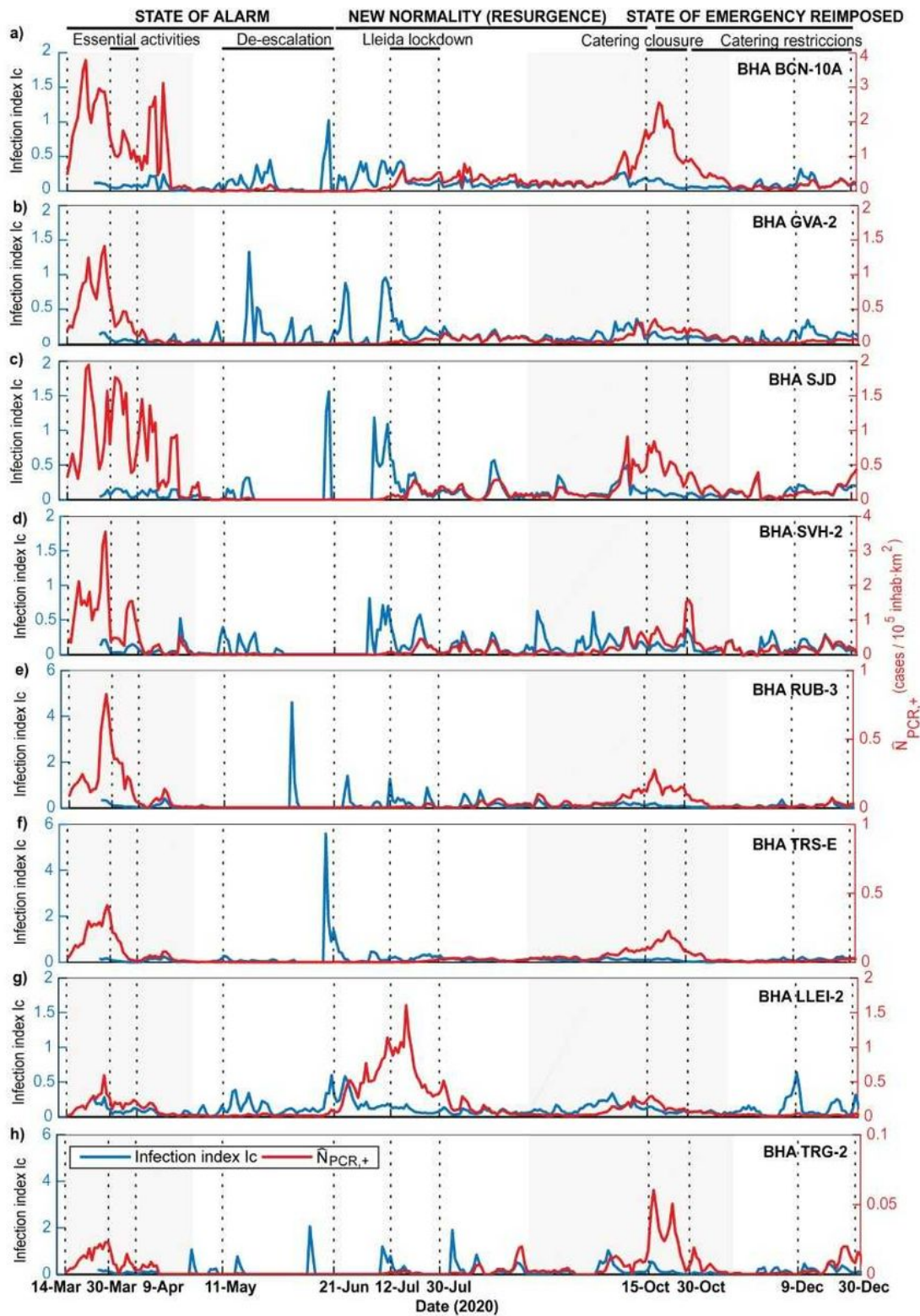


Figure 2

(a-h) Temporal evolution during 2020 of the number of COVID-19 cases in the eight selected Catalan BHAs, presented both in terms of the normalised number of cases as determined through the PCR

positive tests (red line) and the rate of infections I_c (blue line). In each panel, the grey shaded areas indicate the first and the second pandemic wave periods and the vertical dotted lines delineate the duration of the main social and mobility restrictions imposed in Catalonia due to the COVID-19 disease.

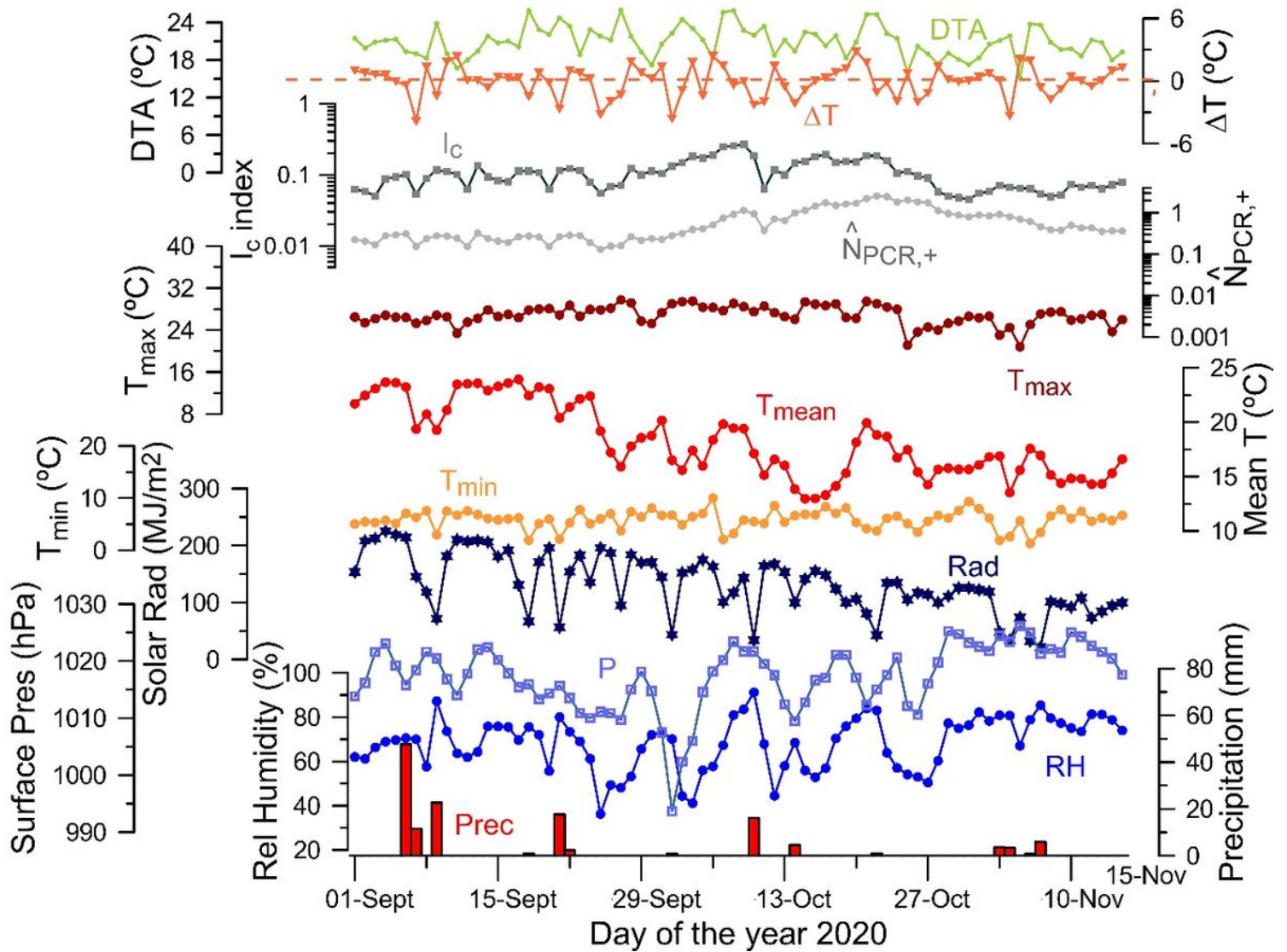


Figure 3

Time series of daily values of atmospheric variables during the second outbreak (September 1 to November 15) together with the normalized number of cases ($\hat{N}_{PCR,+}$) and the infection index (I_c) for BCN-10A. The atmospheric daily variables are mean temperature (T_{mean}), relative humidity (RH), solar radiation (Rad), precipitation ($Prec$), surface pressure (P), minimum and maximum temperature (T_{min}, T_{max}), daily thermal amplitude (DTA) as well as mean temperature difference between consecutive days (ΔT). The units for these variables are indicated in their corresponding axes.

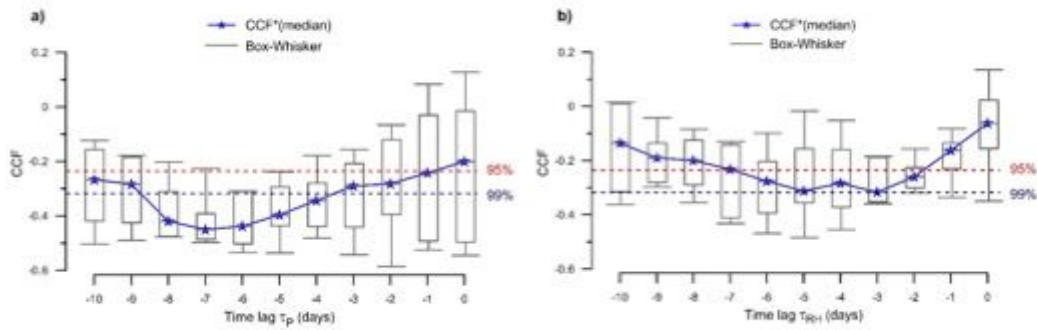


Figure 4

Composite box plots of the cross-correlation coefficients (CCF) of a) surface pressure and b) relative humidity with respect to I_c as a function of lag time, calculated using the eight reference BHAs. The lower and upper ends of the box represent the first and third quartiles, respectively, and the median (CCF^*) is indicated by a blue star. The whiskers extend to the most extreme value within 1.5 IQR (interquartile range) from the box ends. Horizontal dashed lines indicate the statistical significance of the coefficients at 95% (red line) and 99% (blue line) confidence levels.

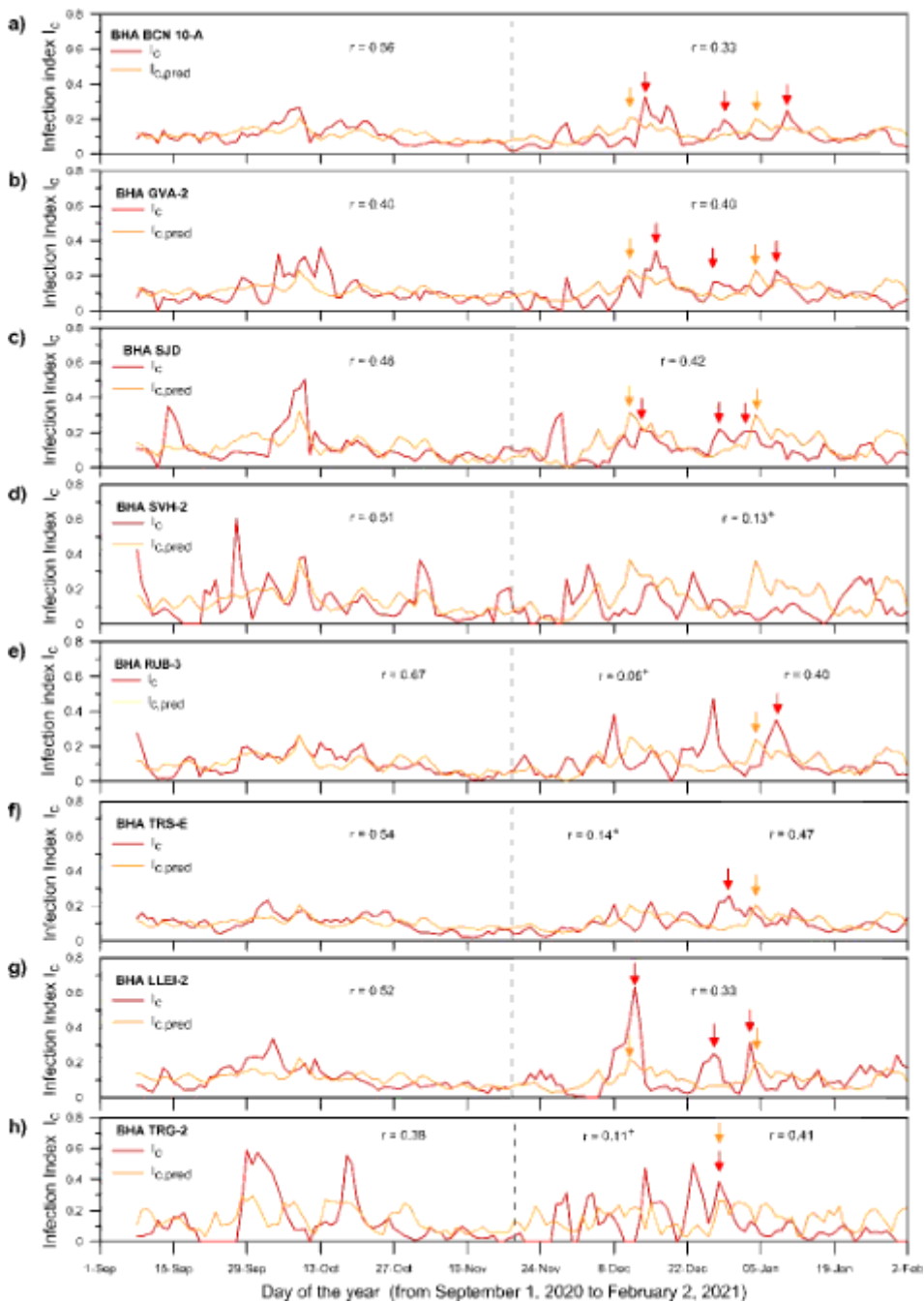


Figure 5

Results for the eight BHAs (panels a) through h)) showing the temporal evolution of the observed infection I_c index (red lines) and the corresponding predicted $I_{c,pred}$ values (light lines) as obtained from the climate model between September 1, 2020, and February 2, 2021. The vertical dashed line on November 18, 2020, delineates the setup and forecast periods. The grey shaded areas indicate selected portions of the forecast interval with the highest correlation coefficient between the two series. The correlation coefficients for each time interval are displayed in the upper part of each panel. The symbol “*” indicates time intervals when the two series are not statistically significant at a minimum 90% confidence level; in several cases it corresponds to time periods of low normalized number of cases (see Fig. S7,

Supplementary information). The arrows indicate the main and the secondary observed (red) and predicted (light orange) I_c peaks during the forecast periods.

Supplementary Files

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