

Supporting information

Sol-gel Synthesis Control of Iron-Cobalt Alloy/Ferrite Core/shell Nanoparticles Supported by a Carbon Medium with Semi-Hard Magnetic Features

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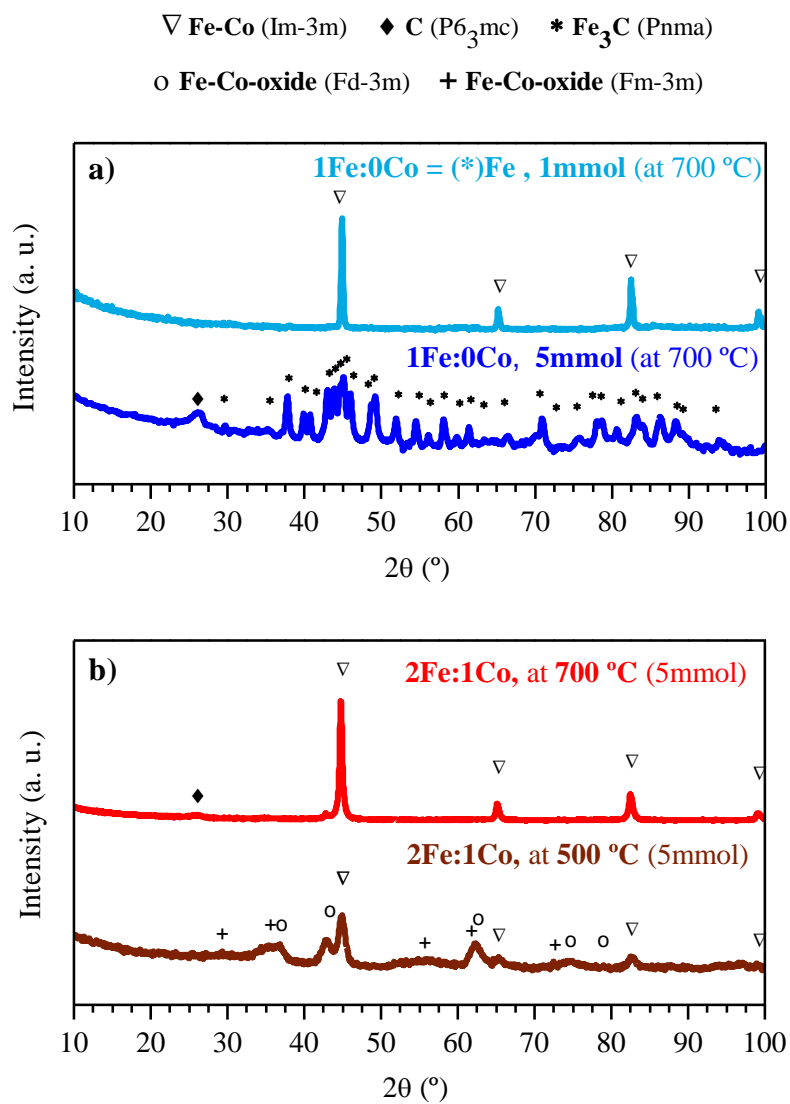


Figure 1. Conventional X-ray diffractograms (Cu $K_{\alpha 1}/K_{\alpha 2} = 2$, $\lambda = 1.542 \text{ \AA}$) of two different samples. a) 1Fe:0Co samples densified at the same temperature (700 °C) from xerogels prepared with 1 mmol (renamed as (*)Fe sample) and 5 mmol of organic surfactants. b) XRD evolution with the densification temperature, from oxides (500 °C) to a high metallic phase (700 °C), for the 2Fe:1Co sample.

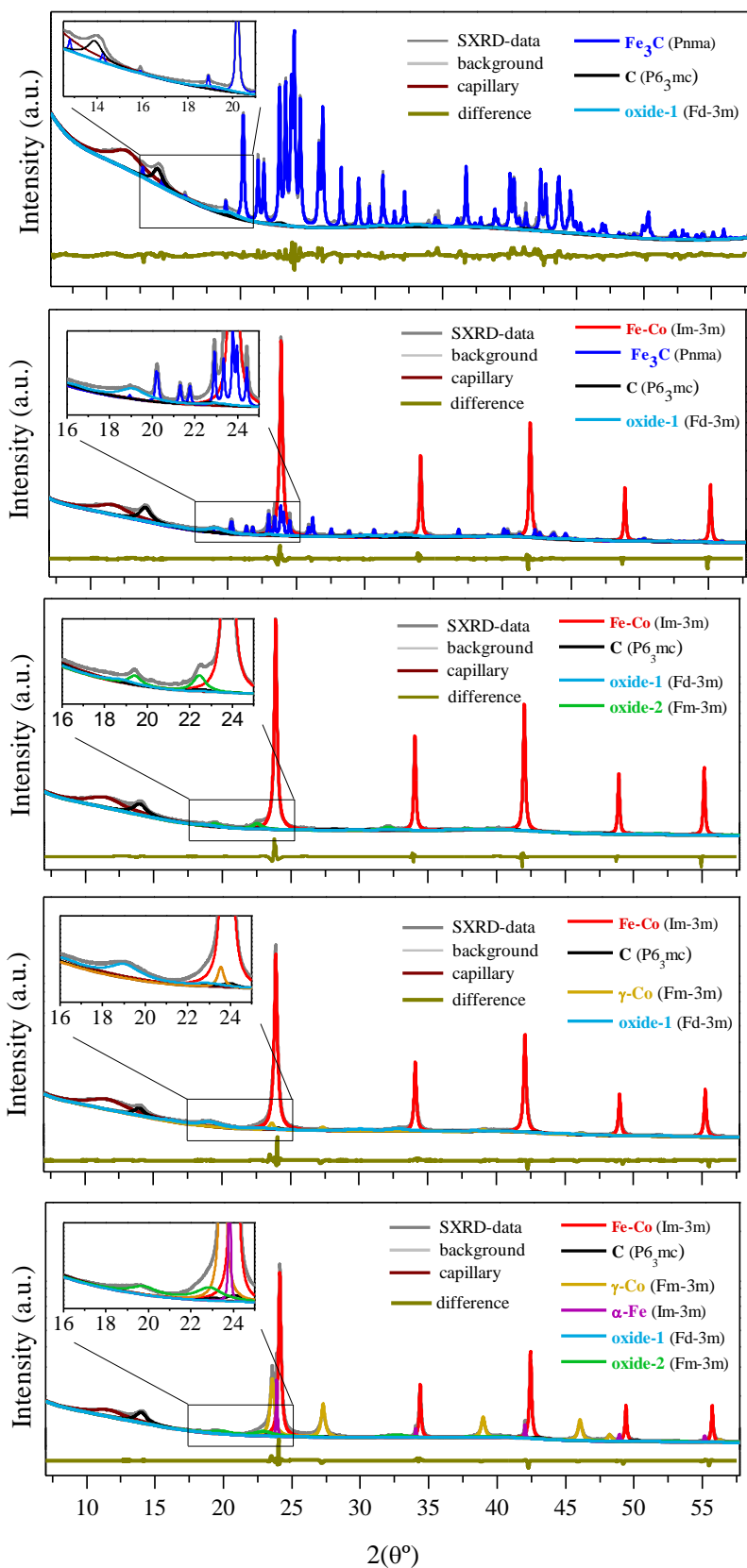


Figure 2. Rietveld refinements for the synchrotron X-ray diffractograms of the samples: 1Fe:0Co, 19Fe:1Co, 5Fe:1Co, 2Fe:1Co and 1Fe:2Co, respectively. The experimental data, background and the capillary-amorphous contributions are printed in dark-grey, grey, and red-wine colors. The contribution of the adjusted phases to the total diffractogram are shown in different colors at the right column of the legend. The difference between the Rietveld model and the experimental data is shown in gray-yellow color at the bottom of each graph.

C-P63mc			Fe3C			FeCo			Co			Fe			oxide-1			oxide-2		
I. v. (Å)	% wt.	size (nm)	I. v. (Å)	% wt.	size (nm)	I. v. (Å)	% wt.	size (nm)	I. v. (Å)	% wt.	size (nm)	I. v. (Å)	% wt.	size (nm)	I. v. (Å)	% wt.	size (nm)	I. v. (Å)	% wt.	size (nm)
1Fe:0Co																				
a	2.553(5)		a	5.093(1)																
		24(2)	b	6.749(1)	72(2)	28.1(1)														
c	6.924(4)		c	4.529(1)																
19Fe:1Co																				
a	2.558(4)		a	5.087(1)																
		26(2)	b	6.751(1)	11(1)	28.2(4)	a	2.86876(2)	53(1)	27.7(5)										
c	6.890(3)		c	4.528(1)																
5Fe:1Co																				
a	2.595(8)																			
		27(2)																		
c	6.895(4)																			
2Fe:1Co																				
a	2.570(9)																			
		25(1)																		
c	6.897(6)																			
1Fe:2Co																				
a	2.590(9)																			
		37(1)																		
c	6.893(5)																			

Figure 3. Results of the Rietveld refinements models for the synchrotron X-ray diffractograms of the samples: 1Fe:0Co, 19Fe:1Co, 5Fe:1Co, 2Fe:1Co and 1Fe:2Co, respectively. Lattice vectors, compositional percentage, and crystalline size of each phase.

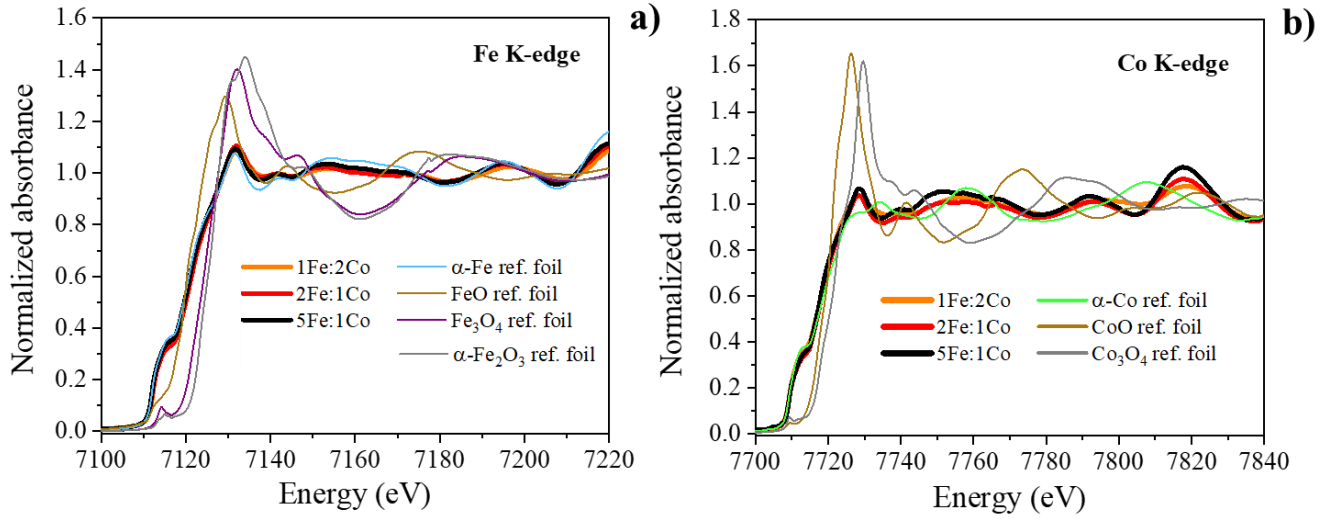


Figure 4. XANES spectra of different reference foils along with the three samples studied. a) and b) at the Fe and Co K-edge absorption edge showing their respective set of oxides: {FeO, α -Fe₂O₃, Fe₃O₄} and {CoO, Co₃O₄}.

Law-approach-to-saturation fitting method (LAS). At the high applied field region, the changes in magnetization are small and the main contribution of magnetization arises from rotation mechanisms, and hence, an estimation of the magnetic anisotropy only coming from crystal anisotropy is obtained. As Akulov demonstrated [1], the $M(H)$ at a high field applied can be approximated by: $M(H) \propto M_s \left(1 - \frac{a}{H} - \frac{b(K)}{H^2}\right)$, where a is a parameter related with the leakage field from ferromagnetic materials following the Néel's theory [2] and $b(K) \propto \frac{K^2}{(M_s H)^2}$ for cubic NPs with randomly oriented easy axis [3]. We calibrate the $M(H)$ equation computing the proportional factor d by fitting our hysteresis loop data of the *Fe sample, introducing the well-known value reported in the literature of $K = 46.8 \text{ kJ/m}^3$ for α -Fe at 300 K [4]:

$$M(H) = M_s \left(1 - \frac{a}{H} - d \left(\frac{K}{M_s H}\right)^2\right) \quad (1)$$

Fixing the obtained value of $d = 57$ are determined the values of K for Fe:Co samples.

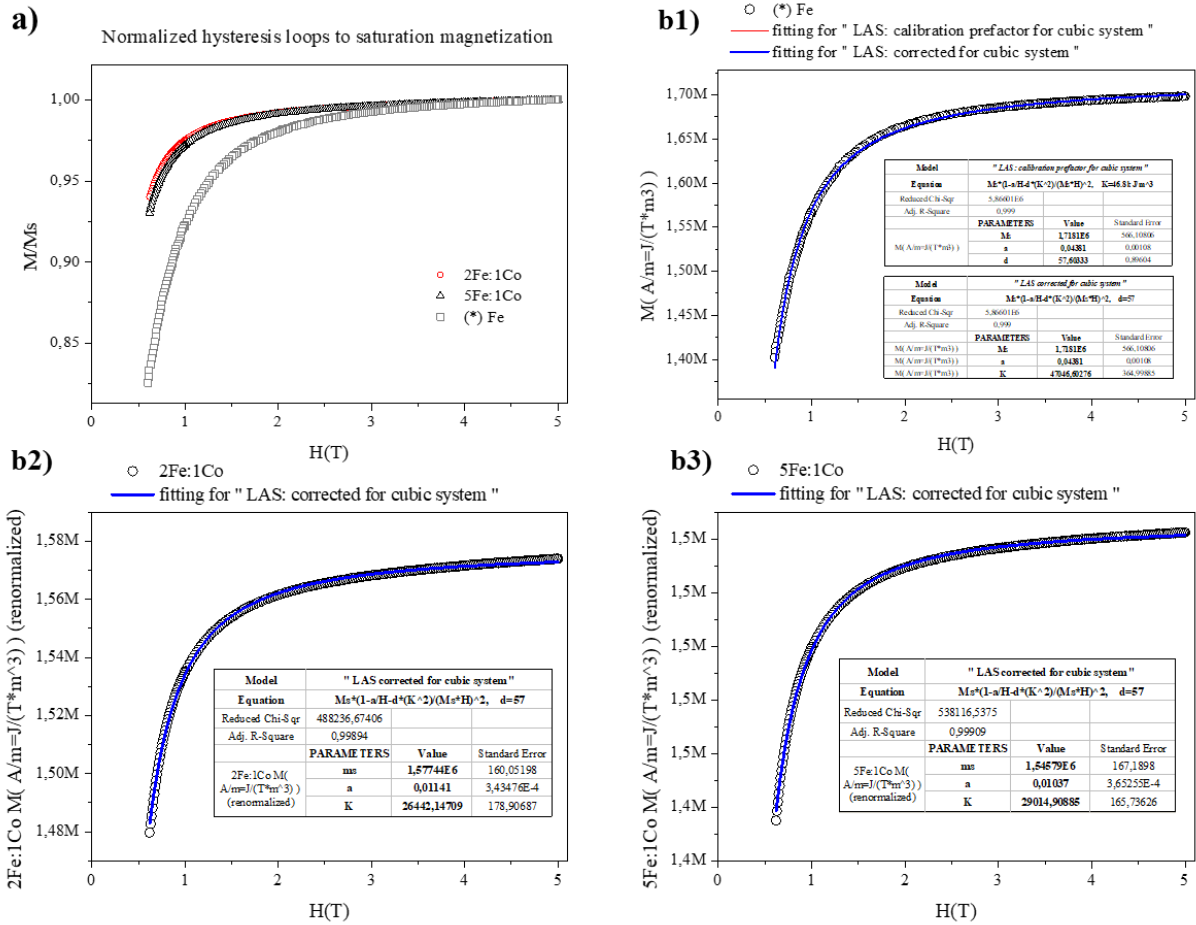


Figure 5. Law-approach-to-saturation fitting method at the high applied field region for the first quadrant branch of hysteresis loops taken at 300 K. a) Normalized curves for the (*Fe), 2Fe:1Co, and 1Fe:2Co samples showing a softer magnetic character for such (*Fe) sample. (b) Fitting for the d parameter with the (*Fe) sample by a known anisotropy constant value of $K=46.8$ kJ/m³. (b2), (b3) Fittings of K values for the curves of the samples 2Fe:1Co and 1Fe:2Co, respectively

References.

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